First Assessment of the Binary Lens
OGLE-2015-BLG-0232

Journal Item

How to cite:

For guidance on citations see FAQs.

© [not recorded]
https://creativecommons.org/licenses/by-nc-nd/4.0/

Version: Version of Record

Link(s) to article on publisher’s website:
http://dx.doi.org/doi:10.3847/1538-4357/aaedb9

Copyright and Moral Rights for the articles on this site are retained by the individual authors and/or other copyright owners. For more information on Open Research Online’s data policy on reuse of materials please consult the policies page.

oro.open.ac.uk
We present an analysis of the microlensing event OGLE-2015-BLG-0232. This event is challenging to characterize for two reasons. First, the light curve is not well sampled during the caustic crossing due to the proximity of the full Moon impacting the photometry quality. Moreover, the source brightness is difficult to estimate because this event is blended with a nearby K dwarf star. We found that the light-curve deviations are likely due to a close brown dwarf companion (i.e., $s = 0.55$ and $q = 0.06$), but the exact nature of the lens is still unknown. We finally discuss the potential of follow-up observations to estimate the lens mass and distance in the future.

**Key words:** binaries: general – gravitational lensing: micro
1. Introduction

Twenty years after the first exoplanet detection, it is clear that planets are abundant in the Milky Way (Cassan et al. 2012; Bonfils et al. 2013; Fressin et al. 2013; Clanton & Gaudi 2016; Suzuki et al. 2016). But the dividing line between super-Jupiters and brown dwarfs is still uncertain. Burrows et al. (2001) define brown dwarfs as objects within mass limits [13, 73] M_J. As underlined by Schlaufman (2018), this definition is problematic because the critical mass for deuterium burning depends on the object composition (Spiegel et al. 2011). More recently, an alternative definition has been proposed based on the formation mechanisms (Schneider et al. 2011): planets are formed by core accretion, while brown dwarfs are a result of gas-collapse. The former is motivated by exoplanet formation models and by the observational evidence that giant planets tend to form more frequently around metal-rich stars (Kuchhave et al. 2012; Mordasini et al. 2012; Mortier et al. 2012). In contrast, Latham et al. (2002) found no significant correlation between metallicity and stellar binary occurrence. But this definition is also problematic because it is nearly impossible to distinguish the two scenarios observationally (Wright et al. 2011; Bryan et al. 2018). Recently, Schlaufman (2018) revisited the mass definition by combining and clustering samples of low-mass stars, brown dwarfs, and planets orbiting solar-type stars and ultimately derived a surprisingly low upper planetary mass limit of ~5 M_J.

Brown dwarf detections are therefore important to understand the planetary regime boundaries but these objects are intrinsically difficult to detect directly, due to their low-luminosity. Moreover, the radii of brown dwarfs and Jupiter-like planets are very similar due to the degeneracy pressure (Zapolsky & Salpeter 1969; Burrows & Liebert 1993). It is therefore difficult to distinguish them with the transit method alone. Microlensing, however, can detect brown dwarfs several kiloparsecs away, either in binary systems or as single objects (Zhu et al. 2016; Chung et al. 2017; Shvartzvald et al. 2018), because the method does not need flux measurements from the lens. Several brown dwarfs and brown dwarf candidates have been discovered through this method (Bachelet et al. 2012a; Bozza et al. 2012; Ranc et al. 2015; Han et al. 2016; Mróz et al. 2017; Poleski et al. 2017).

In this work, we present the analysis of OGLE-2015-BLG-0232/ MOA-2015-BLG-046. The data presented in Section 2 show clear signatures of a binary lens event. In Section 3, we present the modeling procedure and find that the mass ratio of the lens system favors a brown dwarf companion (close model) or a low-mass M dwarf companion (wide model). We present a detailed study of both the microlensing source and the bright blend in Section 4. Because no parallax was measured, we discuss in Section 6 the possible follow-up observations to unlock the final solution of this microlensing puzzle.

2. Observations

The microlensing event OGLE-2015-BLG-0232 (α = 18^h 06^m 43.84^s, δ = −32° 54′ 27′′3; l = −1° 17′ 29″39, b = −5° 09′ 06″0) was an early event of the 2015 microlensing season first discovered by the Optical Gravitational Lens Experiment (OGLE) (Udalski 2003) on 2015 March 2 UT 17:50 and also detected later by the Microlensing Observations in Astrophysics (MOA) collaboration (Bond et al. 2001) as MOA-2015-BLG-046 on 2015 March 10 at UT 16:42. C. Han first delivered an email alert indicating an ongoing anomaly on 2015 March 15 at UT 02:16. Independently, the RoboNet team, based on the SIGNALMEN anomaly detector (Dominik et al. 2007) and the RoboTAP algorithm (Hundertmark et al. 2018), automatically triggered observations on the Las Cumbres Observatory network of robotic telescopes (Tsapras et al. 2009). Unfortunately, the Moon was nearly full during this period, preventing surveys from acquiring more data during the anomaly. This event was also observed in the near-infrared by the VISTA Variables in the Via Lactea (VVV) survey (Minniti et al. 2010). Real-time modeling conducted independently by C. Han and V. Bozza indicated that this event was probably due to a low-mass binary lens (q ~ 0.01). All teams reprocessed their photometry at the end of the season using the difference image analysis (DIA) technique: RoboNet used DanDIA (Bramich 2008; Bramich et al. 2013), and OGLE and MOA used their own implementation of DIA (Udalski et al. 2015; Bond et al. 2001). The K band of VVV was re-reduced using pySIS (Albrow et al. 2009). The VVV pySIS photometry were roughly calibrated to an independent VVV catalog (Beaulieu et al. 2016) by adding an offset of 0.6 mag. Note that the VVV light curve is nearly flat, so we did not use this data set in the first round of modeling. In total, 7659 data points are available for the analysis, as summarized in Table 1.

3. Modeling

3.1. Description

This event is clearly anomalous and real-time models found that a binary lens with a small mass ratio accurately reproduces the observations. A static binary model is described with seven parameters: t_ref, the time of the minimum impact parameter, α, the angular Einstein radius crossing time, ρ0 = θ_E/μ, the normalized angular source radius, s, the normalized projected separation, q, the mass ratio between the two lens components, and finally α, the lens/source trajectory angle relative to the binary axis. Here, μ is the relative proper motion between the source and the lens and θ_E is the angular Einstein ring; see, for example, Gould (2000). Note that we restrict the modeling of the data points to the time window t ∈ [2456850, 2457200] to speed up the modeling. For events like OGLE-2015-BLG-0232 that exhibit caustic crossings, the limb-darkening of the source star has to be considered. Unfortunately, in this case, the observations taken around HJD ~ 2457087 were in the SDSS-i’ band only in order to reduce the impact of the moonlight. Moreover, the caustic crossings are not intensively covered by the data. For these reasons, we investigated a simpler model, the Uniform Source Binary Lens (Bozza 2010; Bozza et al. 2012) and use pyLIMA (Bachelet et al. 2017) to perform the modeling. A detailed description of this binary fitting code is given in E. Bachelet (2018, in preparation). We did not use the standard grid approach to locate the global minimum, but instead ran a global search on all parameters using the differential evolution method (Storn & Price 1997; Bachelet et al. 2017). Briefly, this method uses a set of starting points in parameter space and maintains an ordered population of candidate solutions while exploring potential new solutions by combining existing ones. This algorithm was successfully tested by applying it to previously published events. In practice, we split the parameter space in two regions: s < 1 and s > 1. This is motivated by the dramatic change of the caustics topology between these two
regimes and also the presence of the close/wide degeneracy; see, for example, Erdl & Schneider (1993), Dominik (1999), Bozza (2000), and Cassan (2008). We ran the algorithm several times and found that it converged on similar solutions. This event was also modeled in real time by V. Bozza using RTModel.\footnote{\url{http://www.fisica.unisa.it/GravitationAstrophysics/RTModel.htm}} This system uses a different method to explore the parameter space: a template matching approach (Mao & Di Stefano 1995; Liebig et al. 2015). It also found similar solutions, raising our confidence in our results. Results relative to this first exploration can be seen in Table 3.

### 3.2. Error Bar Rescaling

It is common practice to rescale the uncertainties in microlensing using (in mag units in the present work):

$$\sigma' = k \sqrt{\sigma^2 + e_{\min}^2},$$  \hspace{1cm} (1)

where $\sigma'$ is the rescaled uncertainty, and $k$ and $e_{\min}$ are parameters that need to be tuned to reach a certain metric to optimize. The usual metric used is to force the $\chi^2$/dof for each data set to converge to 1 (Bachelet et al. 2012b; Miyake et al. 2012; Yee et al. 2013). However, Andrae et al. (2010) showed that the use of the reduced $\chi^2$, for model diagnostics, is relevant only for linear models, which is not the case in the present work. Instead, they recommend the use of normality tests of residuals, as seen in Bachelet et al. (2015).

The physical reasons that motivate the rescaling are to account for photometric low-level systematics and potential underestimation of the uncertainties. There are multiple causes coming from both instrumentation and software reductions. The impact is expected to be different for each data set, therefore instead of automatically rescaling the error bars of each data set blindly, we assessed whether this was necessary. To do so, we use the approach described below.

First, we rescaled OGLE-IV uncertainties using the custom method of Skowron et al. (2016).\footnote{\url{http://ogle.astrouw.edu.pl/ogle4/errorbars/blg/errcorr-OFV-BLG-L.dat}} We then analyzed the residuals around the best model from the previous section, using the modified $\chi^2$:

$$\chi^2 = \sum_i \frac{(f_i - m_i)^2}{\sigma^2_i} + 2 \ln(\sigma_i'),$$  \hspace{1cm} (2)

with being $f_i$ the observed flux, $m_i$ being the microlensing model in flux, and $\sigma_i'$ being the modified error in flux relative to Equation (1). It was immediately clear that the term $e_{\min}$ was not constrained, due to the relatively small range of magnification in the light curves. We therefore delete this term from Equation (1) and fit only the first term $k$. The results presented in the Table 2 are consistent with the previous analysis and indicate a soft rescaling, with the exception of the MOA$_{\text{Red}}$ data set.

### 3.3. Results

Both algorithms converged to models with similar geometries: the strong anomalies seen in Figure 1 are due to a central caustic crossing. However, the data do not constrain strongly

---

**Table 1** Summary of Observations

<table>
<thead>
<tr>
<th>Name</th>
<th>Collaboration</th>
<th>Location</th>
<th>Aperture(m)</th>
<th>Filter</th>
<th>Code</th>
<th>$N_{\text{data}}$</th>
<th>Longitude(deg)</th>
<th>Latitude(deg)</th>
</tr>
</thead>
<tbody>
<tr>
<td>OGLE$_{t}$</td>
<td>OGLE</td>
<td>Chile</td>
<td>1.3</td>
<td>I</td>
<td>Wozniak</td>
<td>525</td>
<td>289.307</td>
<td>−29.015</td>
</tr>
<tr>
<td>MOA$_{\text{Red}}$</td>
<td>MOA</td>
<td>New Zealand</td>
<td>1.8</td>
<td>Red</td>
<td>Bond</td>
<td>6569</td>
<td>170.465</td>
<td>43.987</td>
</tr>
<tr>
<td>MOA$_{\text{V}}$</td>
<td>MOA</td>
<td>New Zealand</td>
<td>0.6</td>
<td>V</td>
<td>Bond</td>
<td>184</td>
<td>170.465</td>
<td>43.987</td>
</tr>
<tr>
<td>VVV$_{\text{K}}$</td>
<td>VISTA</td>
<td>Chile</td>
<td>4.1</td>
<td>K</td>
<td>pySIS</td>
<td>198</td>
<td>289.6081</td>
<td>−24.616</td>
</tr>
<tr>
<td>LSCCA$_{i}$</td>
<td>RoboNet</td>
<td>Chile</td>
<td>1.0</td>
<td>SDSS-i</td>
<td>DanDIA</td>
<td>30</td>
<td>289.195</td>
<td>−30.167</td>
</tr>
<tr>
<td>LSCB$_{i}$</td>
<td>RoboNet</td>
<td>Chile</td>
<td>1.0</td>
<td>SDSS-i</td>
<td>DanDIA</td>
<td>23</td>
<td>289.195</td>
<td>−30.167</td>
</tr>
<tr>
<td>LSCC$_{i}$</td>
<td>RoboNet</td>
<td>Chile</td>
<td>1.0</td>
<td>SDSS-i</td>
<td>DanDIA</td>
<td>21</td>
<td>289.195</td>
<td>−30.167</td>
</tr>
<tr>
<td>CPTA$_{i}$</td>
<td>RoboNet</td>
<td>South Africa</td>
<td>1.0</td>
<td>SDSS-i</td>
<td>DanDIA</td>
<td>21</td>
<td>220.810</td>
<td>−32.347</td>
</tr>
<tr>
<td>CPTB$_{i}$</td>
<td>RoboNet</td>
<td>South Africa</td>
<td>1.0</td>
<td>SDSS-i</td>
<td>DanDIA</td>
<td>21</td>
<td>220.810</td>
<td>−32.347</td>
</tr>
<tr>
<td>CPTC$_{i}$</td>
<td>RoboNet</td>
<td>South Africa</td>
<td>1.0</td>
<td>SDSS-i</td>
<td>DanDIA</td>
<td>12</td>
<td>220.810</td>
<td>−32.347</td>
</tr>
<tr>
<td>COJA$_{i}$</td>
<td>RoboNet</td>
<td>Australia</td>
<td>1.0</td>
<td>SDSS-i</td>
<td>DanDIA</td>
<td>29</td>
<td>149.065</td>
<td>−31.273</td>
</tr>
<tr>
<td>COJB$_{i}$</td>
<td>RoboNet</td>
<td>Australia</td>
<td>1.0</td>
<td>SDSS-i</td>
<td>DanDIA</td>
<td>18</td>
<td>149.065</td>
<td>−31.273</td>
</tr>
</tbody>
</table>

---

**Table 2** Error Bar Rescaling Coefficients Used in This Paper

<table>
<thead>
<tr>
<th>Name</th>
<th>$N_{\text{data}}$</th>
<th>$k$</th>
<th>$e_{\min}$</th>
</tr>
</thead>
<tbody>
<tr>
<td>OGLE$_{t}$</td>
<td>68</td>
<td>0.97 ± 0.06</td>
<td>0.0</td>
</tr>
<tr>
<td>MOA$_{\text{Red}}$</td>
<td>467</td>
<td>3.51 ± 0.08</td>
<td>0.0</td>
</tr>
<tr>
<td>MOA$_{\text{V}}$</td>
<td>43</td>
<td>2.1 ± 0.2</td>
<td>0.0</td>
</tr>
<tr>
<td>VVV$_{\text{K}}$</td>
<td>14</td>
<td>3.5 ± 0.5</td>
<td>0.0</td>
</tr>
<tr>
<td>LSCCA$_{i}$</td>
<td>30</td>
<td>1.1 ± 0.1</td>
<td>0.0</td>
</tr>
<tr>
<td>LSCB$_{i}$</td>
<td>23</td>
<td>1.9 ± 0.2</td>
<td>0.0</td>
</tr>
<tr>
<td>LSCC$_{i}$</td>
<td>21</td>
<td>1.7 ± 0.2</td>
<td>0.0</td>
</tr>
<tr>
<td>CPTA$_{i}$</td>
<td>21</td>
<td>1.1 ± 0.1</td>
<td>0.0</td>
</tr>
<tr>
<td>CPTB$_{i}$</td>
<td>21</td>
<td>1.2 ± 0.1</td>
<td>0.0</td>
</tr>
<tr>
<td>CPTC$_{i}$</td>
<td>12</td>
<td>1.2 ± 0.2</td>
<td>0.0</td>
</tr>
<tr>
<td>COJA$_{i}$</td>
<td>29</td>
<td>1.7 ± 0.1</td>
<td>0.0</td>
</tr>
<tr>
<td>COJB$_{i}$</td>
<td>18</td>
<td>2.1 ± 0.3</td>
<td>0.0</td>
</tr>
</tbody>
</table>

Note. * Note that the OGLE$_{t}$ uncertainties receive special treatment before this rescaling step; see the text.
the models, leading to significant differences in the model parameters given in the Table 3. To obtain a more comprehensive picture, we run two sets of Monte-Carlo Markov Chain explorations around these best models, using the emcee algorithm (Foreman-Mackey et al. 2013) implemented in pyLIMA. Note that during this optimization process, we modified the model parameters so that we model $t_c$ and $\mu_c$, the time and closest approach to the central caustic, respectively, instead of $t_0$ and $\mu_0$. The idea is to use parameters more directly related to the main features of the light curve. This is a standard practice that significantly improves the model convergence (Cassan 2008; Han 2009; Penny 2014).

The geometry of the best-fitting model is sensitive to the close/wide degeneracy (Griest & Safizadeh 1998; Bozza 2000; Dominik 2009). However, close models are slightly favored. The mass ratio of this event is not well constrained. This is due to a lack of observations during the anomaly, especially during the central caustic entrance and exit.

We tried to model second-order effects, such as annual parallax and the orbital motion of the lens (Gould & Loeb 1992; Dominik 1998; Albrow et al. 2000; Gould 2004; Bachelet et al. 2012b). Due to the relatively short timescale of the event and the relatively low coverage of the anomaly features, these second-order effects were not constrained well enough to be considered a solid detection.

Table 3: Close/Wide Best Models of pyLIMA, RTModel, and MCMC Explorations

<table>
<thead>
<tr>
<th>Parameters</th>
<th>pyLIMA ($s &lt; 1$)</th>
<th>RTModel$^a$ ($s &lt; 1$)</th>
<th>MCMC($s &lt; 1$)</th>
<th>pyLIMA ($s &gt; 1$)</th>
<th>RTModel$^a$ ($s &gt; 1$)</th>
<th>MCMC($s &gt; 1$)</th>
</tr>
</thead>
<tbody>
<tr>
<td>$t_c - 2450000$</td>
<td>7087.20(1)</td>
<td>7087.49(4)</td>
<td>7087.2(2)</td>
<td>7086.68(4)</td>
<td>7086.93(4)</td>
<td>7086.76(8)</td>
</tr>
<tr>
<td>$\mu_c$</td>
<td>$-0.00048(4)$</td>
<td>0.00135(7)</td>
<td>$-0.0005(6)$</td>
<td>0.00320(8)</td>
<td>0.0020(2)</td>
<td>0.0026(5)</td>
</tr>
<tr>
<td>$t_E$</td>
<td>41.7(3)</td>
<td>46.1(3)</td>
<td>42.6(2)</td>
<td>34.7(1)</td>
<td>35(3)</td>
<td>39(3)</td>
</tr>
<tr>
<td>$\rho$ (10$^{-4}$)</td>
<td>9.9(3)</td>
<td>19.9(8)</td>
<td>10(1)</td>
<td>7.0(5)</td>
<td>7.0(2)</td>
<td>7.3(9)</td>
</tr>
<tr>
<td>$s$</td>
<td>0.545(2)</td>
<td>0.699(2)</td>
<td>0.55(7)</td>
<td>3.05(1)</td>
<td>2.58(2)</td>
<td>2.9(2)</td>
</tr>
<tr>
<td>$q$</td>
<td>0.0597(8)</td>
<td>0.0180(1)</td>
<td>0.06(2)</td>
<td>0.338(3)</td>
<td>0.17(1)</td>
<td>0.24(6)</td>
</tr>
<tr>
<td>$\alpha$</td>
<td>$-3.031(3)$</td>
<td>$-3.061(2)$</td>
<td>$-3.03(2)$</td>
<td>3.017(4)</td>
<td>3.045(5)</td>
<td>3.008(9)</td>
</tr>
<tr>
<td>$\chi^2$</td>
<td>766</td>
<td>799</td>
<td>764</td>
<td>822</td>
<td>843</td>
<td>812</td>
</tr>
</tbody>
</table>

Note. Models from the RTModel were used as a starting point for a Levenberg-Marquardt (LM) optimization with pyLIMA. Numbers in brackets in the table represent 1σ errors from LM and the 68% range for the MCMC explorations.

$^a$ The parameters are obtained from the online RTModel website (http://www.fisica.unisa.it/gravitationAstrophysics/RTModel/2015/RTModel.htm).

Figure 1. Left: light curves and best-fit model for OGLE-2015-BLG-0232. Right: central caustic (red curve), source trajectory (blue line), and source positions at the epoch of observations. The insets show zoomed-in views around the caustic crossings. There was one OGLE$_E$ measurement during the caustic entry and four CPTA$_c$ points (only two are visible in the inset) during the cusp exit. This allows a reasonable constraint on the normalized source radius $\rho$. 

The geometry of the best-fitting model is sensitive to the close/wide degeneracy (Griest & Safizadeh 1998; Bozza 2000; Dominik 2009). However, close models are slightly favored. The mass ratio of this event is not well constrained. This is due to a lack of observations during the anomaly, especially during the central caustic entrance and exit.

We tried to model second-order effects, such as annual parallax and the orbital motion of the lens (Gould & Loeb 1992; Dominik 1998; Albrow et al. 2000; Gould 2004; Bachelet et al. 2012b). Due to the relatively short timescale of the event and the relatively low coverage of the anomaly features, these second-order effects were not constrained well enough to be considered a solid detection.
Figure 2. Optical color–magnitude diagrams of stars within 2° of the line of sight of this event. OGLE and the transformed MOA are in blue (filled and empty respectively), the source is in red, the blend is in orange, and the position of the RGC is in magenta. The star symbol represents the star presented in the Table 4. The gray squares represent the region used to estimate the position of the RGC. Left: OGLEIV photometric system (i.e., Johnson-Cousins Szymański et al. 2011). Right: instrumental OGLEIV photometric system.

Table 4
Astrometry of the Target in MOA, OGLE-III, OGLE-IV, VVV, and Gaia Catalogs; the OGLE-III Catalog of the Field is from Szymański et al. (2011)

<table>
<thead>
<tr>
<th>Catalog</th>
<th>Source ID</th>
<th>Epoch</th>
<th>R.A.(J2000)</th>
<th>Decl.(J2000)</th>
<th>Parallax (mas)</th>
<th>$\mu_a$ (mas yr$^{-1}$)</th>
<th>$\mu_b$ (mas yr$^{-1}$)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Gaia</td>
<td>4042761215742767360</td>
<td>J2015.5</td>
<td>271.6826863(1)</td>
<td>$-32.90760309(1)$</td>
<td>0.96(7)</td>
<td>9.1(1)</td>
<td>2.0(1)</td>
</tr>
<tr>
<td>MOA</td>
<td>965</td>
<td>...</td>
<td>271.68263(4)</td>
<td>$-32.90764(3)$</td>
<td>...</td>
<td>...</td>
<td>...</td>
</tr>
<tr>
<td>OGLE-III</td>
<td>90793</td>
<td>J2002.46</td>
<td>271.68267(4)</td>
<td>$-32.90761(3)$</td>
<td>...</td>
<td>...</td>
<td>...</td>
</tr>
<tr>
<td>OGLE-IV (baseline)</td>
<td>58780</td>
<td>J2011.4</td>
<td>271.68267(4)</td>
<td>$-32.90758(3)$</td>
<td>...</td>
<td>...</td>
<td>...</td>
</tr>
<tr>
<td>OGLE-IV (source)</td>
<td>...</td>
<td>J2011.4</td>
<td>271.68269(4)</td>
<td>$-32.90720(3)$</td>
<td>...</td>
<td>...</td>
<td>...</td>
</tr>
<tr>
<td>VVV</td>
<td>2508</td>
<td>J2010</td>
<td>271.68262</td>
<td>$-32.90763$</td>
<td>...</td>
<td>...</td>
<td>...</td>
</tr>
<tr>
<td>PPMXL</td>
<td>4938889137283654706</td>
<td>J1991.21</td>
<td>271.68268(2)</td>
<td>$-32.90760(2)$</td>
<td>10.6(5.2)</td>
<td>6.3(5.2)</td>
<td>...</td>
</tr>
</tbody>
</table>

Note. The OGLE-IV catalog is available online (http://ogle.astrouw.edu.pl/ogle4/eus/2018/eus.html). The VVV Catalog is from Beaulieu et al. (2016). The PPMXL Catalog is from Roeser et al. (2010). The numbers in parentheses are the 1σ uncertainties.

4. Properties of the Source

4.1. Optical Observations

Following Bond et al. (2017), we calibrated the MOAr and MOAV magnitudes to the OGLEIII system using the relation in the Appendix. The resulting color–magnitude diagram (CMD thereafter) is presented in Figure 2, and we summarize information from the various catalogs used in Table 4. We found that the color of the RGC centroid is $(V - I)_{RGC} = 1.75 \pm 0.05$ mag and its brightness is $J_{RGC} = 15.3 \pm 0.1$ mag. Knowing the intrinsic color of the RGC $(V - I)_{O, RGC} = 1.06$ mag and its intrinsic brightness $J_{O, RGC} = 14.45$ mag (Nataf et al. 2013), we estimate the absorption $A_V = 0.9 \pm 0.1$ mag and the extinction $E(V - I) = 0.69 \pm 0.05$ mag toward the microlensing event. We found a good agreement with an independent determination using the Interstellar Extinction Calculator on the OGLE website, based on Nataf et al. (2013) and Gonzalez et al. (2012), with $A_V = 0.79 \pm 0.1$ mag and $E(V - I) = 0.68 \pm 0.05$ mag. From the best model and the color transformations in the Appendix, the source magnitudes are $V_{S, OGLE}$ = 21.2 \pm 0.1 mag and $I_{S, OGLE} = 19.15 \pm 0.09$ mag (and a color of $(V - I)_{S, OGLE} = 2.0 \pm 0.1$ mag). In principle, it is possible to obtain a model-independent color using linear regression between two bands $\lambda_1$ and $\lambda_2$ because the microlensing magnification is achromatic (Dong et al. 2006; Bond et al. 2017):

$$f_{\lambda_1} = f_{\lambda_1} \cdot f_{\lambda_2} - f_{\lambda_2} \cdot f_{\lambda_1} + f_{\lambda_1}$$  \hspace{1cm} (3)$$

where $f_{\lambda}$ is the source and blending flux, respectively. However, this requires simultaneous observations, which are difficult in practice. Here, we consider MOAr and MOAV as simultaneous if the acquisition time was within 15 minutes. We found a model-independent source color of $(V - I)_{S, OGLE} = 2.0 \pm 0.1$ mag, in agreement with the previous estimation. Finally, we obtained the intrinsic color $(V - I)_{O, S, OGLE} = 1.4 \pm 0.1$ mag and brightness $I_{O, S, OGLE} = 18.4 \pm 0.1$ of the source in the OGLE-III system (i.e., in the Johnson-Cousins system).
Because this event was also observed by OGLE-IV, we conducted a similar analysis using the OGLE-IV CMD. The corresponding CMD is presented in Figure 2. In this CMD, we found that the color of the red giant clump (RGC) centroid is \((V - I)_{\text{RGC}} = 1.67 \pm 0.05\) mag and its brightness is \(I_{\text{RGC}} = 15.3 \pm 0.1\) mag. The best model and the \(V\)-band transformation in Equation (8) lead to \(V_{\text{ogleiv}} = 21.2 \pm 0.1\) mag and \(I_{\text{ogleiv}} = 19.47 \pm 0.01\) mag (and a color of \((V - I)_{\text{ogleiv}} = 1.7 \pm 0.1\) mag). Assuming the source suffers the same extinction as the RGC, we measured an offset between the source and the RGC \(\Delta((V - I)_{\text{ogleiv}}) = (0.03 \pm 0.1, 4.2 \pm 0.1)\). However, the OGLE-IV system is not perfectly calibrated, and the difference in the colors needs to be multiplied by a factor of 0.93 (for CCD 24 of the OGLE camera mosaic; Udalski et al. 2015). Based on the OGLE-IV CMD, the source color is \((V - I)_{\text{o,s,ogleiv}} = 1.09 \pm 0.1\) mag and the brightness is \(I_{\text{o,s,ogleiv}} = 18.7 \pm 0.1\) mag.

While the two studies converge to a similar conclusion, we use for the source properties \((V - I)_{\text{o,s,ogleiv}} = 1.09 \pm 0.1\) mag and \(I_{\text{o,s,ogleiv}} = 18.7 \pm 0.1\) mag, because they rely on a single color transformation and also because the color term in Equation (8) is smaller than the one in Equation (6). From optical observations, the source is probably a K dwarf (Bessell & Brett 1988), or, potentially, a K subgiant that lies behind the Galactic Bulge.

Using Kervella & Fouqué (2008) and the optical color, we can obtain the angular source radius \(\theta_s\). We obtain 13% precision on \(\theta_s = 0.8 \pm 0.1\) μas. Finally, we can then estimate the angular Einstein ring radius \(\theta_E = \theta_s/\rho = 0.8 \pm 0.2\) mas (using the best model) and \(\mu = 7.0 \pm 3\) mas/yr. This provides one mass and distance constraint to the lens system, as (Gould 2000)

\[
M_{\text{tot}} = \frac{\theta_E^2}{\kappa \pi_{\text{rel}}},
\]

with \(\pi_{\text{rel}} = \frac{1 - x}{D_s/D_L}\) au, \(x = D_L/D_s\) (the distance to the lens and the source respectively) and the constant \(\kappa = 8.144\) mas.M\(_\odot^{-1}\).

4.2. Near-infrared

Thanks to VVV observations, we can perform a similar study using \(K\)-band data and construct a near-infrared CMD, as shown in Figure 3. Gonzalez et al. (2012) provided extinction maps toward the Galactic Bulge. Using their online tool,\(^\text{40}\) we found \(A_K = 0.10 \pm 0.06\) mag and \(E(J - K) = 0.19 \pm 0.11\) mag. This agrees relatively well with the 3D maps toward the Galactic Bulge of Schultheis et al. (2014; i.e., \(E(J - K) = 0.30 \pm 0.06\) mag and \(A_K = 0.16 \pm 0.04\) mag assuming the Nishiyama et al. 2009 extinction law). From the best model, the source brightness is \(K_s = 17 \pm 1\) mag and the blend brightness is \(K_s, b = 13.61 \pm 0.03\) mag. The relatively low precision on the source magnitude in \(K_s\) is again due to the lack of observations during the event high-magnification phase of the event. Unfortunately, the maximum observed magnification was only \(A \sim 1.6\), while the secondary maximum observed magnification was \(A \sim 1.05\). The color of the source is \((I_{\text{ogleiv}} - K_{\text{VVV}}) = 2 \pm 1\) mag, leading to an extinction-corrected color of \((I_{\text{ogleiv}} - K_{\text{VVV}}) = 1.9 \pm 0.1\) and \(K_{\text{ogleiv}} = 2.0 \pm 0.1\) mag. Using Bessell & Brett (1988), we found that this color is consistent with the optical color and corresponds to a K-type source star.

\(^{40}\) http://nilt.astro.puc.cl/BEAM/calculator.php

Figure 3. Color–magnitude diagram of stars within 2′ of the line of sight to this event, using \(I_{\text{ogleiv}}\) and \(K_{\text{VVV}}\).

4.3. Does the Source belong to the Sagittarius Dwarf Galaxy?

Due to the relatively large galactic latitude of the event (i.e., \(b = -5°\)), the line of sight does not go through much of the Galactic Disk. This raises the possibility that the source is located in the stream of the Sagittarius Dwarf galaxy (Ibata et al. 1994). If this were the case, the source would be located very far away, \(D_s \sim 25\) kpc. Cseresnjes & Alard (2001) predicted that events due to the Sagittarius dwarf galaxy should represent roughly 1% of the total events detected toward the Galactic Bulge fields each year. They also predicted that these events should mainly occur for main-sequence source stars with \(V \geq 21\) mag and that the median Einstein ring radius crossing time would be 1.3 times larger than the one observed for Milky Way sources. To test this, we constructed a map of the Sagittarius Dwarf galaxy in Figure 4. We followed the method of Majewski et al. (2003) and selected stars with \(E(B - V) < 0.555\), \(0.95 < (J - K_s) < 1.10\) and \(10.5 < K_s < 12\) combined them with the extinction maps from Schlegel et al. (1998); with a low resolution of 0.5 deg).\(^\text{41}\) However, the line of sight (\(\ell = -1°.17, b = -5°.90\)) is quite distant from the highest density of the Sagittarius Dwarf galaxy: M54. The Sagittarius dwarf star population has been studied in great detail; see, for example, Marconi et al. (1998), Monaco et al. (2002, 2004), and Giuffrida et al. (2010). Several features can be used to distinguish stars from the Milky Way and the dwarf galaxy. In particular, the CMD of the dwarf galaxy presents several horizontal branches and red-giant branches, signatures of different star populations. The optical CMD of OGLE-2015-BLG-0232 does not show these signatures, indicating that there is no significant contamination from the dwarf galaxy.

Due to the large distance to the center of the Sagittarius Dwarf galaxy (\(\geq 10^5\)) and the absence of particular features in

\(^{41}\) We use the python implementation available at https://github.com/greggreen/dustmaps.
the CMD, we discount this hypothesis and assume that the source star belongs to the Milky Way.

5. Information on the Blend

Results from our modeling indicate that this event was highly blended. It is clear from Figures 2 and 3 that the blend belongs to the foreground stars branch of the CMD, indicating a close blend. In the following, we consider the blend as a single star and neglect the potential contamination from the source because the blend ratio is substantial with $g \sim 50$.

5.1. Gaia Measurements

The Gaia mission (Gaia Collaboration et al. 2016, 2018; Luri et al. 2018) recently released a vast catalog of parallax and proper motions measurements for more than a billion of stars. In addition to this goldmine, effective temperatures, radii, and luminosities are also estimated. We summarized the Gaia measurements for OGLE-2015-BLG-0232 in Table 4. Recent studies indicate biases in Gaia parallax measurements of several μas (Lindegren et al. 2018; Riess et al. 2018; Zinn et al. 2018). We therefore use the estimation of the blend distance $D_b = 1023^{+385}_{-75}$ pc by Baile-Jones et al. (2018), so the blend is a late-type G or an early-type K dwarf. For this target, we also found $T_{\text{eff}} = 4707^{+269}_{-228}$ K, $R = 1.0^{+0.1}_{-0.1} R_\odot$, $L = 0.42^{+0.07}_{-0.06} L_\odot$, and ultimately estimated the mass of this blend as $M \sim L^{1.4}/4 \sim 0.8 M_\odot$, which is typical for a K dwarf. However, Andrae et al. (2018) noted that these parameters are estimated by neglecting the extinction toward the target. While this approximation is reasonable for this target because the blend is relatively close and the extinction along the line of sight is relatively small, these fundamental parameters are probably biased.

The brightnesses of the blend in the Gaia bands are $G = 15.918 \pm 0.001$ mag, $G_{BP} = 16.48 \pm 0.01$ mag, and $G_{RP} = 15.15 \pm 0.01$ mag. Using the system transformation in the Appendix, we convert these magnitudes to the Johnson-Cousins system to find $V = 16.25 \pm 0.05$ mag and $I = 15.08 \pm 0.05$ mag. Given the blend distance, we assumed half-extinction and found an intrinsic color $(V - I)_{0,b,G} = 1.33 - 0.69/2 = 1.0 \pm 0.1$ and brightness $I_{0,b,G} = 15.08 - 0.79/2 = 14.7 \pm 0.1$ mag, which are typical for a K2 dwarf star (Bessell & Brett 1988). Using the color-effective temperature relation of Casagrande et al. (2010), the blend effective temperature is $T_{\text{eff}} = 4900 \pm 400$ K. We estimated the blend physical radius as $R_b = 0.8 \pm 0.1 R_\odot$, and the luminosity as $L = 0.3 \pm 0.1 L_\odot$, and finally derived the blend mass $M_b \sim 0.7 M_\odot$ (Boyajian et al. 2012). Knowing that the angular radius of the blend is $\theta_b = 4.8 \pm 0.5 \mu$as (Kervella & Fouqué 2008), one can derive an independent estimate of the blend distance, $D_b = 800 \pm 200$ pc, in good agreement with the Gaia parallax measurement.

If the blend were the lens and we assume that the source is at 8 kpc, with a blend mass of $M_b \sim 0.7 M_\odot$ at a distance $D_b \sim 1000$ pc, the angular Einstein ring would be $\theta_E \sim 2.2$ mas. This is in strong disagreement with the value of $\theta_E = 0.8 \pm 0.2$ mas derived in Section 4.1. This is the second clue that the bright blend is likely not the lens.

From Table 4, the proper motion of the bright blend is $\mu_{\alpha,s} (N, E) = (2.2 \pm 0.1, 9.9 \pm 0.1)$ mas yr$^{-1}$. The speed of the Sun in the Galactic frame is $V_s (U, V, W) = (11, 12, 7)$ km s$^{-1}$ (Fich et al. 1989; Schönrich et al. 2010); the first term is the intrinsic Sun velocity and the second term is the speed of the Galactic disk in the Galactic coordinates system. Assuming the source is at 8 kpc, the expected proper motion of the source is about $\mu_s = (-6 \pm 3, 0 \pm 3)$ mas yr$^{-1}$; see Kuijken & Rich (2002) and Kozłowski et al. (2006) for estimation of the uncertainties. The Galactic proper motion transforms to $\mu_{\alpha,s} = (-3 \pm 3, -5 \pm 3)$ mas yr$^{-1}$ (Binney & Merrifield 1998; Poleski 2013; Bachelet et al. 2018). Therefore, if the bright blend were the lens, one would expect a relative proper motion of $\mu_{\text{rel}} (N, E) = \mu_s - \mu_b = (-5 \pm 3, -15 \pm 3)$ mas yr$^{-1}$. The relative proper motion would be $\mu_{\text{rel}} = 16 \pm 4$ mas yr$^{-1}$, in disagreement with the estimate $\mu_{\text{rel}} = 7 \pm 3$ mas yr$^{-1}$ of the Section 4.1. This is the second clue that the blend is not the lens.

5.2. Blend Brightness from Models

Using our best-fit model and the color relationships given in the Appendix, we derived the brightnesses of the blend: $V_{0,G\text{OGL}} = 15.1163 \pm 0.0007$ mag, $V_{0,G\text{OGL}} = 16.23 \pm 0.08$ mag, and $K_{\text{V, VV}} = 13.61 \pm 0.03$ mag. Assuming that the blend suffers half the extinction, we found that the blend brightness is $I_{0,b,G\text{OGL}} = 14.7 \pm 0.1$ mag and the blend color is $(I_{G\text{OGL}} - K_{\text{V, VV}})_{0,b} = 1.1 \pm 0.1$ mag, consistent with its being an early K dwarf (Bessell & Brett 1988). This is in good agreement with the Gaia measurements.

5.3. Astrometry

Toward the Galactic Bulge and for stellar masses, microlensing occurs when the alignment between the lens and the source is less than a few mas. We therefore compared the position of centroids between the baseline object and the magnified source from the OGLE-IV images. In pixel coordinates, the magnified source has an offset of $\Delta(N, E) = (78 \pm 45, 78 \pm 35)$ mas from the bright blend centroid (the precision of the bright blend centroid is about 0.05 pixel, i.e., $\sigma(N, E) = (13, 13)$ mas). The two positions are
different enough (i.e., 1.5σ) to assume that this is the third clue that the blend is likely not the lens.

5.4. The Lens as a Blend Companion

In the following, we explore the possibility that the lens is a companion of the blend. From the astrometry offset derived in Section 5.3, we can derive the separation δ of the blend with its potential companion and found δ = 110 mas, which corresponds to a proj ~ 110 au at 1 kpc. If this potential companion is indeed a component of the lens system, then the mass ratio between the binary blend components is q = (θ_E/θ_b)^2 = (0.8/2.2)^2 ~ 0.13, leading to a potential companion mass of M_{b,2} = 0.13 × 0.7 ~ 0.1 M_⊙. Therefore, such a companion is not bright enough to have been significantly detected. Because the normalized separation between the putative companion and the bright blend is important s = 110/2.2 ~ 50, the hypothetic companion blend could have acted as a binary lens and left no signature of a triple lens, as observed. However, this hypothetic companion would have a similar proper motion, as the bright blend and the analysis on the relative proper motions in Section 5.1 also apply here. Therefore, the lens as a blend companion hypothesis is unlikely.

6. Discussion and Potential New Clues

All available information seems to concur that the blend light is mainly due to a close K dwarf. Both astrometry and the constraint from finite-source effects reject the hypothesis that the bright blend is the lens. The light of the lens is not significantly detected and there are no constraints from the microlensing parallax: the distance and exact nature of the lens remain uncertain for now. However, considering a large mass range for the lens primary M_{L,1} ∈ [0.1, 2.0] M_⊙ (corresponding to D_L ≤ 5.5 kpc according to Equation (4) and θ_E = 0.8 ± 0.2 mas), the companion mass range is M_{b,2} ∈ [6, 130] M_{app}. The lens companion is therefore a massive planet, a brown dwarf, or a low-mass M dwarf if D_L ≤ 5.5 kpc. If the lens is more distant, the primary is probably a stellar remnant, otherwise the lens light would have been detected. This indicates the need for supplementary observations to reveal the nature of the lens OGLE-2015-BLG-0232.

High-resolution imaging is an important tool for microlensing. Several planets have been confirmed using space-based or ground-based facilities and had their measured properties refined (see, for example, Batista et al. 2015; Bennett et al. 2015; and Beaulieu et al. 2018). High-resolution imaging is useful for two reasons. First, it is possible to estimate the source-lens proper motion μ from high-resolution images obtained several years after the microlensing event, when the source and the lens are well separated (Batista et al. 2015). High-resolution imaging can also provide measurements of a source and sometimes lens fluxes, therefore tightly constraining the mass–distance relation of the lens (Batista et al. 2015; Bennett et al. 2015; Ranc et al. 2015; Beaulieu et al. 2018).

In the case of OGLE-2015-BLG-0232, high-resolution imaging will contribute to confirming/rejecting scenarios and possibly estimating the mass of the lens. The first step will be to challenge the assumption that the blend is a single star. This can be done immediately. Moreover, one can predict a more precise source position based on Gaia astrometry and the measured offset from the OGLE-IV photometry. The predicted position of the source is shown in Figure 5, assuming 26 mas precision on the OGLE-IV measurement (i.e., 0.1 pixel). The comparison of the flux at this position in high-resolution images with the measured source fluxes from models, could place constraints on the nature of the lens.

A second step will be to wait several years for the bright blend leaves the line of sight to obtain more information on the source/lens system. Because μ_L = 11 ± 0.2 mas yr^{-1}, the blend is separating faster than the lens/source system μ = 7.0 ± 3 mas yr^{-1}. In a decade, the blend should be about 11 pixels away from the line of sight, while the source and the lens separation should be about 7 pixels (for a typical high-resolution pixel scale of 10 mas pix^{-1}).

Low-resolution spectroscopy could also confirm the spectral type of the bright blend. Similarly, the study of emission/absorption lines with high-resolution spectroscopy would allow a precise understanding of the blend. Finally, one could combine spectroscopic and photometric information to explore various scenarios in a Bayesian analysis (Santerne et al. 2016).

7. Conclusion

We presented an analysis of the binary microlensing event OGLE-2015-BLG-0232. Because the event occurred during full moon, the observations do not constrain the deviations from the single-lens model. However, results from the modeling favor a close brown dwarf companion (i.e., s ~ 0.55 and q ~ 0.06). The source is estimated to be red and faint, probably a K dwarf in the Galactic Bulge. We also tested, and ultimately rejected, the hypothesis that the source belongs to the Sagittarius Dwarf Galaxy. Since the microlensing parallax is not measured, we obtain only one (weak) constraint, from finite-source effects, on the mass and distance of the lens. Based on the recent Gaia DR2 release and OGLE-IV astrometry, we were able to infer that the bright blend is a K dwarf at 1 kpc and is most likely not the lens. We finally discuss the potential of additional observations to confirm the nature of the blend and ultimately to derive the exact nature of the lens.
Appendix

Color Transformations

In this work, we used several color transformations that we summarize here. First, we calibrated the MOA instrumental magnitudes to the OGLE-III catalog (Udalski 2003; Bond et al. 2017) using the relationships

\[ I_{\text{OGLEIII}} = R_{\text{MOA}} + (27.935 \pm 0.003) \]
\[ + (-0.244 \pm 0.003)(V_{\text{MOA}} - R_{\text{MOA}}) \pm 0.08, \]  

(5)

\[ V_{\text{OGLEIII}} = V_{\text{MOA}} + (28.556 \pm 0.002) \]
\[ + (-0.164 \pm 0.002)(V_{\text{MOA}} - R_{\text{MOA}}) \pm 0.08. \]  

(6)

We also calibrated the MOA instrumental magnitudes to the OGLE-IV system using

\[ I_{\text{OGLEIV}} = R_{\text{MOA}} + (27.990 \pm 0.003) \]
\[ + (-0.247 \pm 0.009)(V_{\text{MOA}} - R_{\text{MOA}}) \pm 0.08, \]  

(7)

\[ V_{\text{OGLEIV}} = V_{\text{MOA}} + (28.425 \pm 0.005) \]
\[ + (-0.062 \pm 0.006)(V_{\text{MOA}} - R_{\text{MOA}}) \pm 0.08. \]  

(8)

We also used the transformation of the 2MASS colors into the VVV system (Soto et al. 2013):

\[ J_{\text{VVV}} = J_{\text{2MASS}} - 0.077(J_{\text{2MASS}} - H_{\text{2MASS}}), \]  

(9)

\[ H_{\text{VVV}} = H_{\text{2MASS}} + 0.032(J_{\text{2MASS}} - H_{\text{2MASS}}), \]  

(10)

\[ K_{\text{VVV}} = K_{\text{2MASS}} + 0.010(J_{\text{2MASS}} - K_{\text{2MASS}}). \]  

(11)

Transformations into the Bessell & Brett photometric system (Bessell & Brett 1988) are the revised version 42 of Carpenter (2001):

\[ (K_s)_{\text{2MASS}} = K_{BB} + (-0.039 \pm 0.007) \]
\[ + (0.001 \pm 0.005)(J - K)_{BB}. \]  

(12)

\[ (J - K_s)_{\text{2MASS}} = (-0.018 \pm 0.007) \]
\[ + (0.001 \pm 0.005)(J)_{BB}. \]  

(13)

Finally, the transformation of the Gaia DR2 to the Johnson-Cousins system is available online 43:

\[ G - V_{\text{IC}} = -0.01760 - 0.006860(G_{\text{BP}} - G_{\text{RP}}) \]
\[ - 0.1732(G_{\text{BP}} - G_{\text{RP}})^2 \pm 0.045858, \]  

(14)

\[ G - I_{\text{IC}} = 0.02085 + 0.7419(G_{\text{BP}} - G_{\text{RP}}) \]
\[ - 0.096311(G_{\text{BP}} - G_{\text{RP}})^2 \pm 0.04956. \]  

(15)

References


42 https://www.ipac.caltech.edu/2mass/releases/allsky/doc/sec6_4b.html
43 https://gea.esac.esa.int/archive/documentation/GDR2/