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Herschel Observations of a Potential Core-Forming Clump: Perseus B1-E

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ABSTRACT

We present continuum observations of the Perseus B1-E region from the Herschel Gould Belt Survey. These Herschel data reveal a loose grouping of substructures at 160 – 500 µm not seen in previous submillimetre observations. We measure temperature and column density from these data and select the nine densest and coolest substructures for follow-up spectral line observations with the Green Bank Telescope. We find that the B1-E clump has a mass of ~ 100 M☉, and appears to be gravitationally bound. Furthermore, of the nine substructures examined here, one substructure (B1-E2) appears to be itself bound. The substructures are typically less than a Jeans length from their nearest neighbour and thus, may interact on a timescale of ~ 1 Myr. We propose that B1-E may be forming a first generation of dense cores, which could provide important constraints on the initial conditions of prestellar core formation. Our results suggest that B1-E may be influenced by a strong, localized magnetic field, but further observations are still required.

Key words. stars: formation; ISM: dust, extinction

1. Introduction

Molecular clouds are highly structured regions of dust and gas. They contain dense, small-scale, star-forming “cores” (≲ 0.1 pc) that are usually clustered into larger-scale clumps and organized along filaments (Williams et al. 2000, Ward-Thompson et al. 2007, Di Francesco et al. 2007, André et al. 2010). The cause of this hierarchical structure, where the large-scale clouds (≲ 10 pc) with moderate densities ( ≲ 10² cm⁻³) produce filaments, clumps, and dense cores at higher densities ( ≳ 10³ cm⁻³), is not well understood (Bergin & Tafalla 2007).

Molecular clouds form dense cores when diffuse gas is compressed. Current models for core formation primarily focus on two ideas: that cores form via (1) turbulent compression of diffuse gas (e.g., Larson 1981, Mac Low & Klessen 2004, Dib et al. 2009), or (2) the motion of neutral material between magnetic field lines or ambipolar diffusion (e.g., Mouschovias 1976, Kunz & Mouschovias 2009). Both mechanisms and gravity likely play important roles in star formation, but it is unclear whether one mechanism would dominate in all situations (i.e., clustered or isolated star formation and low-mass or high-mass star formation). Furthermore, theoretical studies also suggest that additional processes, such as radiation feedback (i.e., Krumholz et al. 2010) or large-scale shocks associated with converging flows (i.e., Heitsch et al. 2011), can influence molecular cloud structure and thus, core formation. Additionally, recent Herschel studies have shown that filaments are very prominent in star forming regions and likely have an important role in the formation of dense substructures in molecular clouds (e.g., André et al. 2010, Arzoumanian et al. 2011).

Surveys of core populations in molecular clouds indicate that cores are confined to regions of high column density. Johnstone et al. (2003) and Kirk et al. (2006) found a relationship between core occurrence and extinction for the Ophiuchus and Perseus clouds, respectively, suggesting that there is a core formation threshold at AV ≳ 5. Similarly, Lada et al. (2009) and André et al. (2010) each compared two clouds with different degrees of star formation activity and each found that the more active cloud was composed of higher column density material (by a factor of ~ 10) than the quiescent cloud. These studies emphasize that cores require a minimum column density (ex-
The precursors to cores are difficult to identify. Dense cores are often influenced by processes such as nearby outflows and radiation feedback from a previous epoch of nearby star formation, and observations of them cannot be used to constrain the dynamic properties of the initial core-forming material (Curtis & Richer 2011). Without knowing the initial conditions and processes that cause cores to form from diffuse gas, we cannot accurately model their formation or evolution. Thus, identifying and analyzing a core forming region without earlier episodes of star formation would be exceedingly useful to constrain how molecular clouds form star-forming substructures.

In this paper, we use observations from the Herschel Gould Belt Survey to explore a $\sim 0.1 \deg^2$ clump roughly 0.7' east of the B1 clump (Bachiller & Cernicharo 1986) within the Perseus molecular cloud. This region, hereafter called B1-E, has high extinction ($A_V > 5$) similar to the core formation threshold. Despite this high extinction, previous submillimetre and infrared continuum observations suggest that B1-E contains neither dense cores nor young stellar objects (e.g., Enoch et al. 2006; Kirk et al. 2006). Thus, we will not include the 70 $\mu$m observations (at 18$''$ resolution) of material to condense from the bulk cloud (see also Heiderman et al. 2010).

Unlike previous ground-based submillimetre instruments, Herschel can detect large-scale diffuse emission (e.g., Schneider et al. 2010; Miville-Deschênes et al. 2010; Arzoumanian et al. 2011). Additionally, Herschel has excellent sensitivity to low-level flux. For example, Figure 2 compares SCUBA 850 $\mu$m observations of B1-E (smoothed to 23'' resolution) with the new SPIRE 250 $\mu$m observations (at 18'' resolution). The SPIRE 250 $\mu$m data show prominent substructures not identified in the SCUBA 850 $\mu$m data, though several faint features at 850 $\mu$m appear to agree with the brighter structures in the 250 $\mu$m map. With the higher sensitivity of Herschel, we are able to identify clearly structures in B1-E that were too faint, i.e., $< 3 \sigma$, to be robust detections with SCUBA.

2.2. GBT Observations

We selected the nine highest peaks in our Herschel-derived H$_2$ column density map of B1-E (see Section 3.2) for complementary follow-up observations with the new K-band Focal Plane Array (KFA) receiver on the GBT. Our targets, hereafter named B1-E1 to B1-E9 according to decreasing peak column density, were observed on 03 March 2011 with single-pointings. We used the KFA receiver with one beam and four spectral windows to observe each target simultaneously in NH$_3$ (1,1), NH$_3$ (2,2), CCS (2$_1-1_0$), and HC$_3$N (9-8) line emission at 23.6945 GHz, 23.7226 GHz, 22.3440 GHz, and 23.9639 GHz, respectively. Similar to Rosolowsky et al. (2008), we made frequency-switching observations with 9-level sampling and 12.5 MHz bandwidth over 4096 spectral channels in each window to achieve a high velocity resolution of $v_{ch} \sim 0.0386$ km s$^{-1}$ at 23.69 GHz. B1-E1 to B1-E8 were observed for ~1120 seconds, each. B1-E9 was observed for ~ 840 seconds.

The GBT data were reduced using standard procedures in GBTIDL for frequency-switched data. In brief, individual scans from each spectral window were filtered for spikes or baseline wiggles, folded, and then averaged. Baselines were obtained for the averaged spectra by fitting 5th-order polynomials to line-free channel ranges at the low- and high-frequency edges of each band, and were then subtracted. To improve the detection levels, the data were smoothed with a boxcar kernel equal to two channels in width. The reduced data were exported from GBTIDL into standard FITS files using routines of AIPS++ developed by G. Langston. Further analysis was conducted in MIRIAD and IDL (Interactive Data Language). The 1 $\sigma$ noise levels were typ-

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1 By default, scanamorphos sets a much smaller pixel scale.

2 Due to the fast scan rate, the 160 $\mu$m beam is slightly elongated along the scan direction. Thus, we adopt the geometric mean (i.e., $r = \sqrt{2b}$) as the beam size, where the elongated beam dimensions are from Poglitsch et al. (2010).

3 The GBT is an 100 m telescope operated by the National Radio Astronomy Observatory.

4 GBTIDL is a special IDL package specific to the GBT.

5 Multichannel Image Reconstruction, Interactive Analysis, and Display (MIRIAD) software is developed by the Berkeley Illinois Maryland Array (BIMA) group. See Sault et al (1995) for more details.
Fig. 1. Three-colour image of the western half of the Perseus molecular cloud. Colour mosaic was generated using *Herschel* 160 $\mu$m, 250 $\mu$m, and 350 $\mu$m observations. The white box denotes our boundary for B1-E for subsequent figures. The other prominent clumps in Perseus are also labeled.

Fig. 2. Observations of Perseus B1-E from (a) SCUBA 850 $\mu$m and (b) SPIRE 250 $\mu$m maps. The SCUBA data came from the Extended SCUBA Legacy Catalogue (see Di Francesco et al. 2008). Contours represent extinction levels of $A_V = 5, 7, 8$ magnitudes from the COMPLETE extinction map (Ridge et al. 2006a) and the filled circles show the beam sizes of 23" for smoothed SCUBA data at 850 $\mu$m and 18" for SPIRE data at 250 $\mu$m.
that $\Sigma = 3$. Results

3. Results

3.1. SED Fitting to Herschel Data

We corrected the arbitrary zero-point flux offset in each Herschel band using the method proposed in Bernard et al. (2010) that is based on a comparison with the Planck HFI (DR2 version, see Planck HFI Core Team et al. 2011) and IRAS data. In addition, each map was convolved to the resolution of the 500 $\mu$m map (36.6") and regridded to 14" pixels. The map intensities of the 160 – 500 $\mu$m bands were then fit by the modified black body function,

$$I_{\nu} = \kappa_B T^\alpha \Sigma$$

(1)

where $\kappa_B$ is the dust opacity, $B_\nu$ is the black body function, $T$ is the dust temperature, and $\Sigma$ is the gas mass column density. Note that $\Sigma = \mu m_H N(H_2)$, where $\mu$ is the mean molecular weight, $m_H$ is the hydrogen mass, and $N(H_2)$ is the gas column density. For consistency with other papers in the Gould Belt Survey (e.g., André et al. 2010),

$$\kappa_B = 0.1(\nu/1000\ \text{GHz})^\beta \ \text{cm}^2 \ \text{g}^{-1},$$

(2)

where $\beta$ is the dust emissivity index. The SED fits were made using the IDL program mpfitfun by C. B. Markwardt. In brief, mpfitfun performs a least-squares comparison between the data and a model function by adjusting the desired parameters until a best fit is achieved.

Fitting $\beta$ requires a plethora of data, particularly along the Rayleigh-Jeans tail (e.g., $\lambda > 300 \ \mu$m at 10 K), to remove degeneracies in the model fits (Doty & Leung 1994; Shetty et al. 2009). Since we have only two photometric bands (350 $\mu$m and 500 $\mu$m) along the Rayleigh-Jeans tail, we assume $\beta = 2$, consistent with the adopted $\beta$ in other Herschel first look studies (e.g., André et al. 2010; Arzoumanian et al. 2011). There is evidence for $\beta \sim 2$ in recent Planck studies (see Planck Collaboration et al. 2011a and references therein). Adopting $\beta = 2$ here provides good fits to our data (see below).

Figure 3 shows the dust temperatures and column densities across B1-E resulting from the modified black body fits to each pixel for the 160 – 500 $\mu$m bands, assuming flux uncertainties of 15% based on calibration uncertainties (see Griffin et al. 2010; Poglitsch et al. 2010) and $\beta = 2$. Both temperature and column density in B1-E are highly structured (see Figures 3a and 3b), where regions of higher column density are also associated with slightly cooler temperatures and regions of lower column density have slightly warmer temperatures. Most of the cooler, high column density material ($\gtrsim 6 \times 10^{21} \ \text{cm}^{-2}$) is clumped into a central ring-like structure (i.e., slight depression is seen towards the very centre).

Figures 3a and 3b show the number histograms of temperature and $H_2$ column density, respectively. These distributions are non-Gaussian. The sample mean and standard deviation about the mean for the temperature and column density are 14.1 K $\pm$ 0.8 K and (6.3 $\pm$ 2.7) $\times 10^{21} \ \text{cm}^{-2}$, respectively, where the standard deviation is computed from,

$$S\ E = \sqrt{\frac{1}{N-1} \sum (x_i - \bar{x})^2},$$

(3)

where $\bar{x}$ is the population mean for the sample of size $N$.

These mean values agree well with previously estimated quantities for this region. For example, Schnee et al. (2005) measured a mean dust temperature of $\sim$ 14 K for the B1-E region using the ratio of IRAS 60 $\mu$m and 100 $\mu$m flux densities to estimate dust temperature. Additionally, extinction data from the COMPLETE survey (see contours in Figures 2a and 2b) suggest a mean column density of (5.3 $\pm$ 1.5) $\times 10^{22} \ \text{cm}^{-2}$, assuming $N(H_2)/A_V = 10^{21} \ \text{cm}^{-2} \ \text{mag}^{-1}$. Using a higher resolution extinction map from S. Bontemps, we find a mean column density of (6.3 $\pm$ 3.6) $\times 10^{21} \ \text{cm}^{-2}$. These two column densities agree very well with our measured value of (6.3 $\pm$ 2.7) $\times 10^{21} \ \text{cm}^{-2}$ and they are also similar to the threshold column density for dense core formation from the extinction analysis in Perseus by Kirk et al. (2009), 5 $\times 10^{21} \ \text{cm}^{-2}$. For comparison, Figure 3c includes the Kirk et al. column density threshold as a dashed line. Although B1-E does not appear filamentary, there is ample material from which dense cores may form. With higher resolution data, André et al. (2011) found a threshold column density of 7 $\times 10^{21} \ \text{cm}^{-2}$ for dense structures to form in Aquila via thermal instabilities along a filament at 10 K.

3.2. Column Density Profiles

One of the more prominent core models is the Bonnor-Ebert sphere (Bonnor 1956; Ebert 1955), which represents the density profile of a sphere in hydrostatic equilibrium under the influence of an external pressure. The Bonnor-Ebert sphere has a flat inner density distribution and a power-law density downturn at larger radii. Many prestellar cores, i.e., dense cores that are gravitationally bound but do not show evidence of a central luminous protostar, have shown Bonnor-Ebert-like profiles (e.g., Ward-Thompson et al. 1999; Alves et al. 2001).

With the excellent spatial resolution of Herschel, we can measure the column density profiles for individual B1-E substructures. First, we identified the locations of peak column density using the 2D Clumpfind algorithm (Williams et al. 1994). Briefly, Clumpfind identifies intensity peaks and then uses closed contours at lower intensity levels to assign boundaries. We will discuss the nine highest column density substructures identified by Clumpfind (B1-E1 to B1-E9) for this paper. Second, we measured the azimuthally-averaged column density profile of our nine sources using the ellint task in MIRIAD. For simplicity, we used circular annuli of 10" width for $r > 1'$. For the central radii ($r < 1'$), we assume the peak column density. We caution that several of our sources appear elliptical and our circular approximation is meant to provide a broad, first look analysis.

Figure 4 shows the column density profiles, where the column density values are plotted from the centre of each annulus. For comparison, Figure 4a also shows the beam profile (solid grey curve), a "generic" column density profile convolved with the beam (dashed grey curve) and an analytical Bonnor-Ebert profile convolved with the beam (dotted curve). For both analytic profiles, we follow the approximation from Dapp & Basu (2009) and assume a temperature of $T = 10$ K, a central density of $n \sim 10^6 \ \text{cm}^{-3}$ and a constant of proportionality of $k \sim 0.54$, where $k \sim 0.4$ for a singular isothermal sphere and $k = 1$.
Table 1. GBT Target Information

<table>
<thead>
<tr>
<th>Source</th>
<th>(\alpha) (J2000) (^{h}:m:s)</th>
<th>(\delta) (J2000) (^\circ:\prime:\prime)</th>
<th>Peak (N(H_2)^{a}) ((10^{21} \text{ cm}^{-2}))</th>
<th>Detections(^b)</th>
</tr>
</thead>
<tbody>
<tr>
<td>B1-E1</td>
<td>3:35:55.0</td>
<td>31:14:16</td>
<td>18.5</td>
<td>(\text{NH}_3) ((1,1)), CCS ((2_1 - 1_0))</td>
</tr>
<tr>
<td>B1-E2</td>
<td>3:36:04.4</td>
<td>31:11:47</td>
<td>16.7</td>
<td>(\text{NH}_3) ((1,1)), (\text{NH}_3) ((2,2)), CCS ((2_1 - 1_0)), HC$_5$N ((9-8))</td>
</tr>
<tr>
<td>B1-E3</td>
<td>3:35:52.1</td>
<td>31:15:39</td>
<td>15.1</td>
<td>(\text{NH}_3) ((1,1)), CCS ((2_1 - 1_0))</td>
</tr>
<tr>
<td>B1-E4</td>
<td>3:35:51.0</td>
<td>31:12:34</td>
<td>14.9</td>
<td>(\text{NH}_3) ((1,1))</td>
</tr>
<tr>
<td>B1-E5</td>
<td>3:36:37.3</td>
<td>31:11:41</td>
<td>14.5</td>
<td>(\text{NH}_3) ((1,1)), CCS ((2_1 - 1_0))</td>
</tr>
<tr>
<td>B1-E6</td>
<td>3:36:41.0</td>
<td>31:15:05</td>
<td>13.7</td>
<td>(\text{NH}_3) ((1,1))</td>
</tr>
<tr>
<td>B1-E7</td>
<td>3:36:39.0</td>
<td>31:14:27</td>
<td>13.6</td>
<td>(\text{NH}_3) ((1,1)), CCS ((2_1 - 1_0))</td>
</tr>
<tr>
<td>B1-E8</td>
<td>3:36:05.0</td>
<td>31:14:28</td>
<td>13.1</td>
<td>(\text{NH}_3) ((1,1)), CCS ((2_1 - 1_0))</td>
</tr>
<tr>
<td>B1-E9</td>
<td>3:36:18.5</td>
<td>31:14:31</td>
<td>12.9</td>
<td>(\text{NH}_3) ((1,1))</td>
</tr>
</tbody>
</table>

Notes. \(^{a}\) Peak \textit{Herschel}-derived \(H_2\) column density towards the sources. See Section \(^{b}\) for more details. \(^{b}\) Line emission detected towards each source.

Fig. 3. SED-fitting results for B1-E. Top panels show the temperature (a) and \(H_2\) column density (b) maps across B1-E as measured from SED-fitting to 160 - 500 \(\mu\text{m}\) data, according to Equations \(^{1}\) and \(^{2}\) and assuming \(\beta = 2\). Bottom panels show the histograms of the above maps. The temperature histogram (c) uses a bin size of 0.3 K and the \(H_2\) column density histogram (d) uses a bin size of \(1 \times 10^{21} \text{ cm}^{-2}\). For comparison, the dashed line in panel (d) indicates the observed column density threshold (from extinction) for core formation from \cite{Kirk2006}.

for a collapsing cloud. Our observed column density profiles are much wider than the models, likely due to contaminating material in the foreground or far-background along the line of sight, hereafter called LOS material. Towards the centre of each source, the analytic models and observed profiles are more similar, since the source column density dominates over the LOS level, whereas in the power-law roll-off, the LOS material is likely more significant and the profiles deviate from the analytic models. Unfortunately, the column density of such extended material is difficult to distinguish from the source column density. To estimate its contribution towards each source, we used the subsequent column density at the location where the power-law
slope in the column density profile flattened or began to increase. Thus, the LOS material level ranges from \( \sim 8 \times 10^{21} \text{ cm}^{-2} \) for B1-E9 to \( \sim 11 \times 10^{21} \text{ cm}^{-2} \) for B1-E1 or roughly 60% of the peak column density. These LOS column densities are very conservative and could overestimate their actual contributions by as much as a factor of 2. Indeed, these values are larger than the mean B1-E column density of \( 6.3 \times 10^{21} \text{ cm}^{-2} \).

Figure 5 shows a comparison of our nine column density profiles after correcting each profile for LOS material and normalizing to the respective peak column density, and includes the Bonnor-Ebert profile, generic profile, and beam profile from Figure 4. All nine profiles follow a shape similar to those of the analytic models, with a flat centre and steep falloff towards larger radii. Additionally, all profiles but B1-E5 generally appear more centrally concentrated than the models, implying that B1-E5 is the least compact. The column density profiles do show some differences with the models, however, such as steeper fall-offs.

### 3.3. Substructures

We estimated source sizes and masses based on Gaussian fits to the LOS-subtracted column density profiles. Source size was defined by the FWHM of the Gaussian (i.e., \( R = \text{FWHM}/2 \)). Since B1-E6 and B1-E7 have a small projected separation of \( \sim 50'' \), we truncated both to 31'' radii to ensure that we mostly measured column densities unique to each. Thus, our analyses of B1-E6 and B1-E7 are biased toward the denser, central regions unlike those of the other sources. Subtracting out the LOS material limits the influence from nearby extended material and generally fits only the denser, embedded object. If we include the LOS material, the estimated source sizes generally increase by \( \lesssim 20\% \). Isolated substructures, like B1-E2 or B1-E8, have sizes that vary by \( \sim 5\% \) and substructures embedded in extended profiles like, B1-E1 or B1-E4, have sizes that vary by 24% and 37%, respectively.

Table 2 lists the adopted properties for our sources, including their deconvolved radii, estimated (upper and lower) masses, and average densities, assuming they are perfect spheres and dividing the (upper and lower) source masses with their spherical volumes, \( \frac{\pi}{2} R_d^3 \), where \( R_d \) is the deconvolved radius. We consider two mass and density limits: the lower limits subtract out the LOS material and the upper limits include the LOS material. Note that, by our definition of source size, we are measuring the inner regions of each profile where core precursors are most likely to arise. Since we are using the Gaussian FWHM to estimate the source size, the true source sizes, including any diffuse envelopes, may be larger by a factor of 2. Source mass was estimated by summing over the column density and assuming a mean molecular weight of \( \mu = 2.33 \). These results provide a reasonable first look at the relative sizes and masses of these sources.

### 3.4. Line Emission

Kirk et al. (2007) and Rosolowsky et al. (2008) each attempted to identify dense gas towards B1-E via high spatial resolution line observations in N\(_2\)H\(^+\) and NH\(_3\), respectively. They observed several “blind” pointings towards B1-E and found no strong detections. Unlike previous continuum studies, our Herschel data have identified several cold, dense substructures in B1-E (see Figure 3) and these were not directly probed by either Kirk et al. or Rosolowsky et al. Using our Herschel results, we selected the nine substructures with the highest column densities for follow-up observations with the GBT in NH\(_3\) (1,1), NH\(_3\) (2,2), CCS (2\,-\,1\,\,s), and HC\(_5\)N (9-8) line emission. Figure 6 shows the locations of our nine targets (see also Table 1).

#### 3.4.1. NH\(_3\)

We detected NH\(_3\) (1,1) emission towards all nine targets. We fit the NH\(_3\) (1,1) hyperfine lines with multiple Gaussian components using the following equation:

\[
\tau(v) = \tau_{1,1} \sum_{i=1}^{18} \alpha_i \exp \left[ -4 \ln 2 \left( \frac{v - v_i - v_{\text{Lov}}}{{\Delta v}} \right)^2 \right]
\]

Notes. (a) Object radii were estimated from Gaussian fits to the column density profile (\( R = \text{FWHM}/2 \)). Radii were deconvolved with a 36.6'' beam. (b) Masses are taken from integrating out the column density profiles. The lower limit measurements subtract the LOS material from the column density profiles. The upper limit measurements do not subtract the LOS material from the column density profiles. (c) Average density determined from the mass and volume. (d) B1-E6 and B1-E7 are truncated to measure column density \textit{unique} to each source.

---

**Table 2. Column Density Determined Properties**

<table>
<thead>
<tr>
<th>Source</th>
<th>( R_d ) (AU)</th>
<th>( M_d ) (( 10^4 \text{ M}_\odot ))</th>
<th>( \rho_d ) (( 10^4 \text{ cm}^{-3} ))</th>
</tr>
</thead>
<tbody>
<tr>
<td>B1-E1</td>
<td>7.1 ( \times ) 10(^{-3} )</td>
<td>0.6 - 1.6</td>
<td>5.9 - 17</td>
</tr>
<tr>
<td>B1-E2</td>
<td>6.9 ( \times ) 10(^{-3} )</td>
<td>0.6 - 1.4</td>
<td>6.7 - 15</td>
</tr>
<tr>
<td>B1-E3</td>
<td>7.7 ( \times ) 10(^{-3} )</td>
<td>0.5 - 1.5</td>
<td>4.0 - 12</td>
</tr>
<tr>
<td>B1-E4</td>
<td>6.0 ( \times ) 10(^{-3} )</td>
<td>0.3 - 1.0</td>
<td>4.3 - 18</td>
</tr>
<tr>
<td>B1-E5</td>
<td>9.3 ( \times ) 10(^{-3} )</td>
<td>0.5 - 2.0</td>
<td>2.4 - 9.1</td>
</tr>
<tr>
<td>B1-E6(^d)</td>
<td>5.9 ( \times ) 10(^{-3} )</td>
<td>0.3 - 1.0</td>
<td>5.7 - 17</td>
</tr>
<tr>
<td>B1-E7(^d)</td>
<td>5.9 ( \times ) 10(^{-3} )</td>
<td>0.3 - 0.9</td>
<td>5.6 - 17</td>
</tr>
<tr>
<td>B1-E8</td>
<td>7.2 ( \times ) 10(^{-3} )</td>
<td>0.3 - 1.2</td>
<td>3.1 - 12</td>
</tr>
<tr>
<td>B1-E9</td>
<td>5.4 ( \times ) 10(^{-3} )</td>
<td>0.3 - 0.8</td>
<td>5.8 - 18</td>
</tr>
</tbody>
</table>

---

6 Deconvolved radii are \( \approx 25'' \).
Fig. 4. The azimuthally-averaged column density profiles for the nine sources in B1-E, assuming a distance of 235 pc. The profiles were measured using circular annuli with a thickness of 10″ for \( r > 7″ \). Note that the central area is defined by a circle of radius 7″ but plotted at 3.5″. The dashed line indicates our estimate for the non-source line-of-sight (LOS) material. For comparison, the dotted curve and dashed curve illustrate a Bonnor-Ebert column density profile and a “generic” \([1 + (r/a)^{2}]^{-0.5}\) column density profile following Dapp & Basu (2009). For both analytic curves, we assume a temperature of 10 K and a central density of \( n = 10^6 \) cm\(^{-3}\) and convolved the profiles with a 36.6″ beam. The grey solid curve shows the beam profile. The analytical profiles and the beam profile are scaled to the peak column density. Note that both axes are logarithmic.

where \( \tau_{1,1} \) is the optical depth for the (1,1) transition, \( \alpha_i \) is the transition weight, \( v_i \) is the velocity of the hyperfine line (for a given rest frequency), \( v_{lsr} \) is the velocity of the source with respect to the local standard of rest, and \( \Delta v \) is the FWHM of the line. We used the hyperfine frequencies and weights from Kukolich (1967) and Rydbeck et al. (1977) and derived the values for \( \tau_{1,1}, v_{lsr}, \) and \( \Delta v \) from the fits. Figure 7 shows example fits to the NH\(_3\) spectra. Table 3 lists centroid velocity \( (v_{lsr}) \) and uncorrected velocity line width \( (\Delta v) \) from the NH\(_3\) (1,1) fits, the kinetic gas temperature from NH\(_3\) (1,1) and (2,2) line comparisons, and the resulting thermal and non-thermal velocity dispersions for all nine sources.

For B1-E2, we could derive the kinetic gas temperature using NH\(_3\) (1,1) and NH\(_3\) (2,2) line emission, whereas we could only determine upper limits for our other sources. We use our NH\(_3\)-derived kinetic temperature of \( T_K = 10.26 \pm 0.36 \) K for B1-E2 and adopt the mean NH\(_3\)-derived kinetic temperature of 11 K from the survey of Rosolowsky et al. (2008) for our other sources. As an estimate of the uncertainty, we use the dispersion in the kinetic temperatures from the Rosolowsky et al. data, 2 K, (see Enoch et al. 2008). Note that these gas temperatures correspond to the denser, colder inner layers where ammonia is excited, whereas the dust temperatures (see Section 3.1) represent an average of all the material along the line of sight, i.e., including the lower density envelopes. For more information on extracting kinetic temperatures from NH\(_3\) line emission, see Friesen et al. (2009).

Table 3 also lists the thermal velocity dispersion, \( \sigma_T \), and the non-thermal velocity dispersion, \( \sigma_{NT} \). We determined \( \sigma_T \) from the kinetic temperature and \( \sigma_{NT} \) from the line widths via:

\[
\sigma_T = \sqrt{\frac{k_B T_K}{m_{NH_3} m_H}}
\]

\[
\sigma_{NT} = \sqrt{\sigma_{obs}^2 - \sigma_T^2}
\]
Fig. 5. Normalized column density profiles for sources in B1-E, assuming a distance of 235 pc. Column density was determined from azimuthally-averaged annuli (see Figure 4). Furthermore, the LOS material was estimated for each source and subtracted from the azimuthal average. The grey solid, dotted, and dashed curves are the same as for Figure 4.

Table 3. Properties from NH$_3$ (1,1) and NH$_3$ (2,2) Line Spectra

<table>
<thead>
<tr>
<th>Source</th>
<th>$v_{lsr}$ (km s$^{-1}$)</th>
<th>$\Delta v$ (km s$^{-1}$)</th>
<th>$T_K$ (K)</th>
<th>$\sigma_T$ (km s$^{-1}$)</th>
<th>$\sigma_{obs}$ (km s$^{-1}$)</th>
</tr>
</thead>
<tbody>
<tr>
<td>B1-E1</td>
<td>7.61 ± 0.02</td>
<td>0.998 ± 0.056</td>
<td>&lt; 27</td>
<td>0.073 ± 0.007</td>
<td>0.471 ± 0.025</td>
</tr>
<tr>
<td>B1-E2</td>
<td>7.67 ± 0.002</td>
<td>0.293 ± 0.005</td>
<td>10.26 ± 0.36</td>
<td>0.071 ± 0.001</td>
<td>0.101 ± 0.003</td>
</tr>
<tr>
<td>B1-E3</td>
<td>7.47 ± 0.01</td>
<td>0.681 ± 0.030</td>
<td>&lt; 16</td>
<td>0.073 ± 0.007</td>
<td>0.280 ± 0.015</td>
</tr>
<tr>
<td>B1-E4</td>
<td>7.83 ± 0.01</td>
<td>1.078 ± 0.056</td>
<td>&lt; 27</td>
<td>0.073 ± 0.007</td>
<td>0.451 ± 0.016</td>
</tr>
<tr>
<td>B1-E5</td>
<td>7.57 ± 0.01</td>
<td>0.833 ± 0.022</td>
<td>&lt; 19</td>
<td>0.073 ± 0.007</td>
<td>0.344 ± 0.012</td>
</tr>
<tr>
<td>B1-E6</td>
<td>7.61 ± 0.01</td>
<td>0.905 ± 0.032</td>
<td>&lt; 23</td>
<td>0.073 ± 0.007</td>
<td>0.376 ± 0.015</td>
</tr>
<tr>
<td>B1-E7</td>
<td>7.31 ± 0.01</td>
<td>0.708 ± 0.032</td>
<td>&lt; 24</td>
<td>0.073 ± 0.007</td>
<td>0.290 ± 0.016</td>
</tr>
<tr>
<td>B1-E8</td>
<td>6.78 ± 0.01</td>
<td>0.537 ± 0.021</td>
<td>&lt; 20</td>
<td>0.073 ± 0.007</td>
<td>0.213 ± 0.012</td>
</tr>
<tr>
<td>B1-E9</td>
<td>7.11 ± 0.01</td>
<td>0.690 ± 0.038</td>
<td>&lt; 32</td>
<td>0.073 ± 0.007</td>
<td>0.282 ± 0.018</td>
</tr>
</tbody>
</table>

Notes. (a) The velocity FWHM from the best-fit models uncorrected for channel resolution. (b) Kinetic temperature towards each source. For B1-E2, we measured the kinetic temperature from NH$_3$ (1,1) and NH$_3$ (2,2) line emission. For our other sources, we used a 3 $\sigma$ upper limit for NH$_3$ (2,2) to estimate the upper limit of $T_K$. (c) The thermal line width of B1-E2 was determined using the derived kinetic temperature, $T_K = 10.26$ K ± 0.36 K. For the remaining sources, we adopted 11 K, the mean NH$_3$-derived kinetic temperature from [Rosolowsky et al. (2008)] with an uncertainty of 2 K from the dispersion of the kinetic temperature in that survey (see [Enoch et al. (2008)].

where $k_b$ is the Boltzmann constant, $T_K$ is the kinetic temperature, $\mu_{NH_3} = 17.03$ is the mean molecular weight of NH$_3$, $m_H$ is the atomic hydrogen mass, and $\sigma_{obs}$ is the total corrected velocity dispersion of the lines, $\sigma_{obs} = \Delta v / \sqrt{8 \ln 2}$ for $\Delta v^2 = \Delta v^2_{\text{vel}} + \Delta v^2_{\text{ch}}$. Using the NH$_3$ study by [Rosolowsky et al. (2008)], we adopted $T_K = 11$ K for all our targets except B1-E2, where we used our derived gas temperature, $T_K = 10.26$ K ± 0.36 K.

3.4.2. CCS and HC$_5$N

CCS (2$_1$ - 1$_0$) was detected towards five targets (see Table 1) and HC$_5$N (9-8) was detected towards only B1-E2. Figure 8 shows examples of these spectra. We fit the CCS (2$_1$ - 1$_0$) and HC$_5$N (9-8) spectra with single Gaussians. The velocities determined for most CCS (2$_1$ - 1$_0$) detections and the single HC$_5$N (9-8) detection were similar to those found from NH$_3$, suggesting these dense gas tracers are probing the same region as the NH$_3$ emission. The CCS (2$_1$ - 1$_0$) spectra for B1-E1 and B1-E8, however, revealed fairly different values. For B1-E1, the
Fits to NH$_3$ (1,1) and (2,2) spectra. Note the hyperfine components visible for the NH$_3$ (1,1) spectrum of B1-E2. The NH$_3$ (2,2) spectra were smoothed by a boxcar with a 2-channel width to improve the visual appearance. For comparison, we show two undetected NH$_3$ (2,2) observations.

CCS (2$_1^1$−1$_0^0$) line emission appears redshifted by $\sim$ 0.3 km s$^{-1}$ (15 $\sigma$) with respect to the NH$_3$ (1,1) line emission, whereas for B1-E8, the CCS (2$_1^1$−1$_0^0$) line emission is redshifted by $\sim$ 0.11 km s$^{-1}$ (2 $\sigma$). The redshifted CCS (2$_1^1$−1$_0^0$) emission in B1-E1 may be tracing a different region of dense gas from the NH$_3$ emission, such as a region undergoing infall (e.g., see Swift et al. 2005).

4. Discussion

Our Herschel data have revealed extensive substructures within B1-E for the first time. Such faint substructures may represent an early evolutionary stage in star formation, where a first generation of cores is forming from lower density material. Thus, it is important to characterize the substructures seen in these Herschel maps.

4.1. Comparison with Jeans Instability

The minimum length scale for gravitational fragmentation in a purely thermal clump or cloud is described by the Jeans length, $\lambda_J = (c_s^2 \pi G \rho)^{1/2}$, where $c_s$ is the thermal sound speed, $G$ is the gravitational constant, and $\rho$ is the density of material (Stahler & Palla 2005). In terms of temperature and number density, we find,

$$\lambda_J = 0.21 \left( \frac{T}{10 \text{ K}} \right)^{0.5} \left( \frac{n}{10^4 \text{ cm}^{-3}} \right)^{-0.5} \text{ pc.}$$

Ideally, the Jeans length should be calculated for the gas temperature and gas density. In small, dense scales (i.e., $\gtrsim 10^5$ cm$^{-3}$; Di Francesco et al. 2007), the gas and dust temperatures are coupled, whereas in larger, more diffuse scales, the gas and dust are decoupled and the gas may be warmer than the dust (Young et al.)
Fig. 8. Fits to the detected CCS (2$_1$-$1_0$) and HC$_5$N (9-8) spectra. The weaker CCS (2$_1$-$1_0$) spectra and the B1-E2 HC$_5$N (9-8) spectra were all smoothed by a boxcar with a 2-channel width to improve the visual appearance of the lines. The B1-E2 CCS (2$_1$-$1_0$) spectrum was not smoothed.

2004; Di Francesco et al. 2007; Ceccarelli et al. 2007). The central region of B1-E containing the substructures, i.e., the area contained within N(H$_2$) > 6 × 10$^{19}$ cm$^{-2}$, has a mass of ~ 110 M$_\odot$ and an effective radius ($R_{\text{eff}} = \sqrt{A/\pi}$) of ~ 0.46 pc. Approximating B1-E as a sphere, we find an average density of ~ 5 × 10$^3$ cm$^{-3}$, suggesting that the gas and dust in B1-E are likely decoupled such that the mean dust temperature of ~ 14 K (see Section 3.1) is a lower limit to the gas temperature. Assuming a lower limit gas temperature of 14 K and $n = 5 \times 10^3$ cm$^{-3}$, the lower limit $\lambda_J = 0.35$ pc. Note that the kinetic temperatures measured in Section 3.4.1 correspond to the smaller, denser scales where the gas and dust temperatures should be coupled and not the scales measured here.

The minimum projected separations between our nine substructures are generally between 0.1 pc and 0.19 pc, with a median value of ~ 0.13 pc for all nine sources. Recall, however, that B1-E6 and B1-E7 have an angular separation of ~ 0.05 pc, a factor of 2 closer than any other pair of substructures. Despite their close proximity, B1-E6 and B1-E7 show different centroid velocities (see Table 3), and therefore, cannot be considered a single object. Also, we can only measure the projected 2-D separations between our nine substructures and not their physical 3-D separations. Assuming a typical inclination angle of 60°, our median separation is ~ 0.15 pc for all nine substructures or ~ 0.17 pc excluding B1-E6 and B1-E7.

The median minimum separation is a factor of two smaller than our best estimate of the Jeans length, though our Jeans length estimate is, itself, uncertain within a factor of a few. The fact that we find a minimum separation that is less than the Jeans length is still interesting and could indicate gravitational fragmentation followed by bulk contraction of the B1-E group, but the overall uncertainties in determining the minimum separations and Jeans length make this difficult to validate. Additionally, B1-E does not appear to be filamentary (see Figure 6) and therefore, the clump could be extended along the line of sight resulting in more significant radial distances between substructures.

For the substructures, we use the Jeans mass to explore their thermal stabilities. Similar to the Jeans length, the Jeans mass is a critical mass scale for gravitational fragmentation (Stahler & Palla 2005). This critical mass can be described as,

$$M_J = 2.9 \left( \frac{T}{10^4 \text{ K}} \right)^{1.5} \left( \frac{n}{10^4 \text{ cm}^{-3}} \right)^{-0.5} M_\odot.$$

(8)
The B1-E substructures have average densities of $n \sim 1 \times 10^5$ cm$^{-3}$ (see Section 3.3). Furthermore, we found a gas temperature for B1-E2 of $\sim 10$ K. Note, that this gas temperature corresponds to the denser B1-E2 substructure and should not be assumed for the lower density B1-E clump. Assuming $T = 10$ K and $n = 1 \times 10^5$ cm$^{-3}$, the critical Jeans mass is $M_J \approx 0.9$ M$_\odot$. Several of the substructures have mass limits on order of the Jeans mass (see Table 2), suggesting that these sources are approaching a critical, unstable mass. Thus, the B1-E substructures are interesting prospects for future studies of substructure evolution.

4.2. Time Scale for Interactions

From the Herschel observations, the B1-E substructures appear linked (see Figure 6), which might indicate that they are interacting. The timescale for any two substructures to interact can be estimated from the typical separation between the substructures and their velocity dispersion. For simplicity, we adopt the average projected separation between all nine substructures of $\sim 0.40$ pc. For an inclination angle of 60°, the typical separation between the substructures is $d_{sep} \sim 0.46$ pc. To estimate the velocity dispersion of the sources, we use the dispersion of the centroid velocities of NH$_3$ (1,1) from all nine objects. The weighted 1D centroid velocity dispersion is $\sigma_{1D} \approx 0.24$ km s$^{-1}$ and assuming symmetry, the 3D velocity dispersion$^7$ is $\sigma_{3D} \approx 0.42$ km s$^{-1}$. Thus, the B1-E substructures have an interaction timescale of $\sim 1$ Myr, a factor of two larger than recent estimated prestellar core lifetimes and less than the expected protostellar core lifetime (e.g., Kirk et al. 2005; Ward-Thompson et al. 2007; Enoch et al. 2008). Furthermore, this timescale corresponds to the interaction time between any two substructures and not the interaction time between nearest neighbour substructures. Given that the nearest neighbour separation is a factor of $\sim 3$ smaller than the typical separation adopted here, these substructures have the potential to interact prior to forming stars. Thus, competitive accretion may be significant during further evolution of B1-E (e.g., Bonnell et al. 2001; Krumholz et al. 2005; Bonnell & Bate 2006).

4.3. Comparison with Virial Equilibrium

Not all dense substructures will form cores and stars. For example, a core with kinetic energy from internal motions that exceeds its gravitational binding energy may be transient and unable to form persistent dense structures or stars. According to McKee (1999), a core is gravitationally bound if the virial parameter, $\alpha$, is

$$\alpha = \frac{M_{\text{total}}}{M} \geq \frac{5\sigma_{1D}^2 R}{GM} \leq 2$$

where $\sigma_1$ is the velocity dispersion, $R$ is the radius, and $M$ is the mass.

B1-E has an effective radius of 0.46 pc (see Section 4.1). We estimate the velocity dispersion using the centroid velocity dispersion from Section 4.2 $\sigma_{1D} = 0.42$ km s$^{-1}$. This velocity dispersion was derived from the motions of the individual substructures and thus, reflects the turbulence in the cloud that first created the substructures rather than the thermal velocity dispersion of the gas. The expected thermal velocity of the gas is less than 0.42 km s$^{-1}$, and thus non-thermal support is important. Assuming $R = 0.46$ pc and $\sigma_t = 0.42$ km s$^{-1}$, B1-E has a $\sigma^2 = 2\sigma_1^2 + \sigma_0^2 + \sigma_\phi^2 = 3\sigma_1^2$.

Table 4. Virial Analysis Properties

<table>
<thead>
<tr>
<th>Source</th>
<th>$\sigma_v$ (km s$^{-1}$)</th>
<th>$\sigma_v/\sigma_c$</th>
<th>$M_{\text{total}}$ (M$_\odot$)</th>
<th>$\alpha^2$</th>
</tr>
</thead>
<tbody>
<tr>
<td>B1-E1</td>
<td>0.461 ± 0.030</td>
<td>2.3 ± 0.3</td>
<td>8.5 ± 4.8</td>
<td>5 - 14</td>
</tr>
<tr>
<td>B1-E2</td>
<td>0.216 ± 0.005</td>
<td>1.1 ± 0.03</td>
<td>1.8 ± 0.9</td>
<td>1 - 3</td>
</tr>
<tr>
<td>B1-E3</td>
<td>0.342 ± 0.022</td>
<td>1.7 ± 0.2</td>
<td>5.1 ± 2.9</td>
<td>3 - 10</td>
</tr>
<tr>
<td>B1-E4</td>
<td>0.492 ± 0.022</td>
<td>2.5 ± 0.3</td>
<td>8.2 ± 4.5</td>
<td>8 - 27</td>
</tr>
<tr>
<td>B1-E5</td>
<td>0.397 ± 0.018</td>
<td>2.0 ± 0.2</td>
<td>8.3 ± 4.5</td>
<td>4 - 17</td>
</tr>
<tr>
<td>B1-E6</td>
<td>0.424 ± 0.022</td>
<td>2.1 ± 0.2</td>
<td>6.0 ± 3.3</td>
<td>6 - 20</td>
</tr>
<tr>
<td>B1-E7</td>
<td>0.351 ± 0.023</td>
<td>1.8 ± 0.2</td>
<td>4.1 ± 2.3</td>
<td>5 - 13</td>
</tr>
<tr>
<td>B1-E8</td>
<td>0.291 ± 0.021</td>
<td>1.5 ± 0.2</td>
<td>3.4 ± 2.0</td>
<td>3 - 11</td>
</tr>
<tr>
<td>B1-E9</td>
<td>0.344 ± 0.025</td>
<td>1.7 ± 0.2</td>
<td>3.6 ± 2.1</td>
<td>5 - 12</td>
</tr>
</tbody>
</table>

Notes. (a) Velocity dispersion divided by sound speed, assuming $T = 11$ K for all substructures except B1-E2 where $T = 10.23$ K. (b) Virial parameter considering the upper and lower mass limits for each substructure (see Table 2).

The virial mass of $\sim 96$ M$_\odot$, or $\alpha \approx 0.9$ for a clump mass of $110$ M$_\odot$ (see Section 4.1). These results imply that B1-E is itself gravitationally bound and thus, likely to form dense cores and stars in the future.

For the individual substructures, velocity dispersions were determined from NH$_3$ (1,1) line widths, after estimating the non-thermal component ($\sigma_{NT}$; see Table 3) and the thermal component ($\sigma_c$) for a mean molecular weight of $\mu_\text{H}_2 \approx 2.33$. Table 3 shows our values for the total velocity dispersion, $\sigma_v$, the ratio of the velocity dispersion to the thermal sound speed, the virial mass, $M_{\text{virial}}$, and the virial parameter, $\alpha$, for each substructure. Most of the virial parameters are $\gg 2$, suggesting that these substructures themselves are not gravitationally bound and thus, may not necessarily represent persistent objects. B1-E2 has the smallest virial parameter, $\leq 3$, and may be itself gravitationally bound. B1-E8 and B1-E3 have lower limit estimates of $\alpha \sim 3$ and given that we know $\alpha$ only within a factor of a few, these sources may also be gravitationally bound. These virial limits, however, depend greatly on the source mass, which can vary by a factor of $\sim 4$ depending on our treatment of the LOS material (see Section 3.3). To be bound, these candidates must have negligible LOS material towards them, which is very unlikely. Thus, B1-E2 is the only strong candidate for being gravitationally bound.

Most B1-E substructures have very large virial parameters and are thus, expected to be unbound. In comparison, the Jeans mass (see Section 4.1) is a mass scale for only gravitational fragmentation in a thermal clump and does not include the contributions from non-thermal support. Several of the substructures with $\alpha \gg 2$ have masses on order of the Jeans mass, $\sim 0.9$ M$_\odot$, suggesting that the Jeans mass analysis is too simplistic and does not well represent the evolutionary state of these structures. For example, the substructures may have significant turbulent motions. With only one potentially bound substructure (B1-E2), it is difficult to determine if B1-E will eventually form several cores or no cores at all (i.e., these substructures are all transient). The substructures themselves show large line widths (see Table 4), atypical of dense prestellar cores, which are subsonic. In particular, B1-E2 has the narrowest line profiles (by at least a factor of 2) and the strongest line detections, suggesting that this object is the most evolved of the substructures. These observations hint at a possible dynamic evolution, where dense cores first contain significant non-thermal, turbulent motions which dissipate into coherent, quiescent dense cores. If so, the substructures in B1-E may become more bound over time as their...
turbulent support is dissipated, a process which may explain the narrower lines toward B1-E2.

Note that we assume $T_K = 11$ K for our substructures (except B1-E2). In Section 4.3.1, we found upper limits for kinetic temperature $> 11$ K (see Table 1). Furthermore, we are using a simplified virial equation in Equation (9). Ideally, the virial equation includes magnetic pressure and surface pressure terms which can either assist gravity in the collapse or help in the support of a clump (e.g., see Nakamura & Li 2008). Our observations, however, do not measure these quantities and thus, we use a simplified virial equation. Nevertheless, B1-E2 is special with respect to the other substructures. Indeed, we may have the first observations of a core precursor.

4.4. Comparison with Other Star Forming Regions

B1-E has column densities well above $\sim 5 \times 10^{21}$ cm$^{-2}$, the core formation threshold reported by Kirk et al. (2006). Since the other clumps with similarly high column densities are actively feeding stars, it is reasonable to expect B1-E to do the same in the near future. Furthermore, Laba et al. (2014) found a good correlation between the number of YSOs in a cloud (or clump) with the cloud mass above $M_c > 0.8$ (or $A_V > 7.3$) for several star forming regions. Based on their extinction threshold, we find a clump mass of $\sim 90$ M$_{\odot}$ for (H$2$) $> 7.3 \times 10^{21}$ cm$^{-2}$ and thus, we could expect $\sim 10$ YSOs to form in B1-E. With Herschel, we have detected several substructures with moderate densities of $\sim 10^5$ cm$^{-3}$ (see Table 2), similar to what is often defined for dense cores, i.e., $\gtrsim 10^4$ cm$^{-3}$ (Bergin & Tafalla 2007).

These substructures, however, were not well observed by SCUBA at 850 $\mu$m or Bolocam at 1 mm (see Figure 2), and thus, are not dense cores in the traditional definition. The substructures in B1-E also have supersonic velocity dispersions. In general, low-mass starless cores have subsonic velocity dispersions (e.g., Myers 1983; Kirk et al. 2007; André et al. 2007; Pineda et al. 2010), whereas protostellar cores can have supersonic velocity dispersions (e.g., Gregersen et al. 1997; Li & Francesco et al. 2001). Since we see no evidence of proto-stellar activity whatsoever (i.e., from Spitzer data), these substructures are likely unevolved.

Thus, the substructures in B1-E are likely core precursors and more observations of this region should provide some insight into core formation (transient or persistent) in molecular clouds. In particular, B1-E is isolated from YSOs and young stars, so the region is unaffected by environmental processes such as outflows or winds. A nearby expanding dust shell, seen in IRAS 60 $\mu$m and 100 $\mu$m data (Ridge et al. 2006), may be sweeping material towards B1-E, though the ring itself does not appear to be directly interacting with this clump. This shell may have a larger impact on the evolution of structure in B1-E in the future.

A relatively pristine core forming region is exceedingly rare. The only additional case may be the inactive high extinction clump (211) identified in L1495 by Schmalko et al. (2010), though further detailed studies of that clump are still necessary to determine what, if any, substructures are forming cores and stars. A collection of starless cores in Aquila form a similar grouping as in B1-E, however this region has two known protostars nearby ($\lesssim 1$ pc) and so is not as pristine as B1-E (Könystses et al. 2010; see their Figure 5).

4.5. Comparison with Core Formation Models

Core formation simulations attempt to recreate molecular cloud fragmentation, implementing factors such as gravitational collapse, magnetic pressure, and turbulent energy. Many recent studies have argued that models of core formation must consider both ambipolar diffusion and turbulence (e.g., Li & Nakamura 2004; Dib et al. 2007; Nakamura & Li 2008; Basu et al. 2009a; Gong & Ostriker 2011). Magnetic fields introduce an additional pressure support that opposes gravitational collapse, whereas turbulence either opposes collapse by introducing kinetic energy support or induces collapse via energy dissipation from compressive shocks.

Several recent studies have examined the effects of different magnetic field and turbulent flow properties (e.g., Li & Nakamura 2004; Basu et al. 2009a; Price & Bate 2009). In particular, these simulations examine fragmentation in subcritical (where magnetic fields dominate over gravity) and supercritical (where gravity dominates over magnetic fields) regimes with dissipating turbulent flows. In the subcritical simulations, the fragmenting clouds generally form cores in relative isolation and with less filamentary morphologies, such as ring-like distributions of loose core groups (see also Li & Nakamura 2002). These cores tend to form more slowly, i.e., fragmentation is suppressed by the strong magnetic field, and since large-scale turbulent flows are generally damped, the velocity field is generally subsonic. (Note that Basu et al. 2009a, find that strong magnetic fields can induce oscillations and create a supersonic velocity field, i.e., $\lesssim 3c_s$.) In contrast, supercritical simulations generally form cores associated with filaments, and these cores tend to form relatively quickly and can move supersonically through their environment.

An isolated core forming region is necessary to test model predictions and constrain initial conditions of dense gas before the onset and influence of nearby stars and internal protostars. Thus, B1-E is an ideal target for such measurements (see Section 4.3). From our observations, B1-E contains a small, loose grouping of substructures. Although the substructure morphology observed in B1-E is not entirely ring-shaped, the distribution hints at an inclined ring-like structure. Furthermore, if star formation is triggered, it is surprising that B1-E, which is bookended by two highly active and more evolved clumps, IC 348 to the far east and NGC 1333 to the far west, contains no evidence for evolved star formation itself. Furthermore, IC 348 shows many evolved pre-main sequence stars and NGC 1333, though appearing younger, has many YSOs (Bally et al. 2008; Herbst 2008; Walawender et al. 2008), suggesting that B1-E is not part of an age gradient.

These observations suggest that B1-E is influenced by a strong, localized magnetic field. Further tests of this scenario would be possible by observing the entire velocity field for B1-E. Instead, we could only estimate the bulk velocity field from the relative motions of the individual substructures (from line centroids; see Section 4.2). $\sigma_{3D} = 0.42$ km s$^{-1}$. Additionally, we do not have direct measurements of the gas temperature for the B1-E clump. If we use the mean B1-E dust temperature of 14 K as the lower limit gas temperature, $c_s \gtrsim 0.22$ km s$^{-1}$ and the velocity field within B1-E may be supersonic by $\lesssim 2c_s$. These motions can arise in either subcritical or supercritical clouds, though the latter is generally associated with supersonic velocities.

Direct measurements of the magnetic field would also be useful to constrain its role in B1-E. Unfortunately, very little magnetic field information is available here. Goodman et al. (1990) measured optical polarization towards all of Perseus, and...
for B1-E, they found strong, ordered polarization vectors reaching ~ 9% polarized light, a factor of two higher than any other dense region in Perseus. While these polarization observations may suggest a strong magnetic field is associated with the B1-E region, these observations are dependent on the field viewing angle. Also, these data were obtained at very low resolution resulting in only three vectors coinciding with B1-E.

A strong magnetic field does not necessarily relegate turbulent compression or gravity to minor roles in the evolution of B1-E. Indeed, Nakamura & Li (2008) suggest that core forming regions exhibit different phases where magnetic fields, gravity, and turbulence are sometimes dominant and sometimes secondary. For example, they suggest that core forming regions begin with strong magnetic fields and strong turbulence, such that gravity is a secondary effect. After the turbulent energy dissipates, gravitational collapse can proceed via magnetic field lines.

5. Conclusions

With recent Herschel dust continuum observations from the Herschel Gould Belt Survey, we identified substructure in the Perseus B1-E region for the first time. With our Herschel data, we determined the temperature and column density across the region. We selected the nine highest column density substructures for complementary observations with the GBT. We summarize our main conclusions as follows:

1. B1-E contains a loose collection of roughly a dozen prominent substructures. This morphology is atypical of most star forming regions, which produce dense clusters and organize material along filaments. Such a loose collection of cores can be produced in magnetically subcritical simulations (e.g., Basu et al. 2009a) influenced by a strong magnetic field. Furthermore, a strong magnetic field will delay the onset of star formation, which may explain the age discrepancy between B1-E and the other nearby clumps in Perseus, IC 348 and NGC 1333.

2. The B1-E clump as a whole is gravitationally bound with an estimated virial parameter of α ≈ 0.9. Therefore, B1-E is likely to form dense cores and stars. Assuming T = 14 K and n = 5 × 10^3 cm⁻³, we find a Jeans length within the entire B1-E clump of ~ 0.35 pc, accurate within a factor of a few. We measure a median nearest neighbour separation of ~ 0.15 pc for our nine substructures (~ 0.17 pc excluding B1-E6 and B1-E7), for an inclination of 60°. Thus, the substructures have a median minimum separation that is less than the Jeans length by a factor of two. This smaller length scale could indicate that B1-E contracted after the observed substructures formed.

3. Several of the B1-E substructures have masses on order of the Jeans mass (~ 0.9 M_☉), assuming T = 10 K and n = 1 × 10^5 cm⁻³. Nevertheless, most substructures have large virial parameters (α >> 2) indicating that they are gravitationally unbound. The large virial parameter suggests that non-thermal motions are significant and that the Jeans mass does not well represent the critical mass scale for these substructures. B1-E2 is the only substructure with a small virial parameter (1 ≤ α ≤ 3) and, due to its narrow line emission, may be gravitationally bound. Furthermore, NH₃ (2,2) and HC₅N (9-8) were only detected towards B1-E2. Thus, B1-E2 is an excellent candidate for a core precursor.

4. The B1-E substructures have a substantial centroid velocity dispersion (~ 0.42 km s⁻¹) resulting in an interaction timescale of ~ 1 Myr, assuming an average separation of ~ 0.46 pc. This timescale is well within the lifetime of prestellar cores. Thus, competitive accretion may play a significant role in the evolution of structure in B1-E.

The B1-E region appears to be an excellent candidate for future core formation. Further studies, however, are necessary to explore the dust and dynamics of the bulk gas in B1-E. For example, additional submillimetre continuum data along the Rayleigh-Jeans tail (e.g., with SCUBA-2) will improve SED-fitting and more accurately probe the dust emissivity index, β, size, and mass. To date, our Herschel observations of B1-E are the only well detected continuum data for B1-E, and we observed only the nine highest column density substructures seen with Herschel. These data illustrate the potential of B1-E to be a core forming region. Future observations of both the magnetic field strength and the turbulent velocities are necessary to probe further how B1-E will evolve.

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